Microfounding Household Debt Cycles with Extrapolative Expectations

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Abstract

Combining transaction-level data with survey-based information from a large consumer panel, we show that on average consumers form excessively high expectations about future income relative to ex-post realizations after unexpected positive income shocks. This systematic bias in expectations leads to higher current consumption and debt accumulation as well as a higher likelihood of subsequent default on consumer debt. A consumption-saving model with defaultable unsecured debt and diagnostic Kalman filtering with consumers who over-extrapolate income shocks rationalizes these findings. The model predicts excessive leverage and higher subsequent default rates compared to a rational expectations benchmark. Over-extrapolation of income expectations can contribute to explaining state-dependent household debt cycles.

Keywords: Income Expectations, Consumption, Household Debt, Behavioral Economics, Behavioral Finance, Surveys, Income Volatility.

JEL codes: D14, D84, E21, E71, G51.

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I Introduction

Household debt cycles have been a focus of research in economics and finance since the Global Financial Crisis. Spikes in household debt predict the eruption of economic crises across space and over time in the US (Mian and Sufi, 2014) and globally (Reuven and Lansing, 2010; Mian et al., 2017). Researchers have proposed arguments and produced evidence consistent with both supply-side (e.g., Agarwal et al. (2017), Mian et al. (2020)) and demand-side drivers of household debt cycles (e.g., Bordalo et al. (2018); Bianchi et al. (2021); Chodorow-Reich et al. (2021))

Due to their intrinsic co-determination, disentangling the roles of supply- and demand-side drivers of household debt cycles using observational data is empirically challenging. Separately identifying the roles of changes in credit supply and changes in the demand for credit is hard when using aggregate macroeconomic data on household debt and GDP growth, given that both channels might be affected by the same unobserved shocks and can influence each other. At the micro level, testing directly for a potential effect of demand-side channels, such as consumers' expectations, on households' consumption and debt accumulation requires observing individual-level data that include, at the same time, information about households' income flows, spending, and debt accumulation as well as direct elicitation of beliefs about future individual outcomes and the subsequent realizations of these outcomes.

In this paper, we propose a unique setting to tackle these empirical challenges. Our setting builds on transaction-level bank-account panel data for a large population, which includes households' debt and spending decisions as well as their consumer-credit limits, income inflows, and demographic characteristics. The unique feature of this setting is the direct elicitation of individuals' expectations for their own income and debt capacity through customized surveys that were administered repeatedly to the same consumer population over time. This panel structure enables us to study the dynamics of beliefs, consumption, debt accumulation, and debt outcomes within individuals, but also the

comparison to past and future realized income. ¹

Our setting provides us with direct measures of consumers' beliefs, ex-post accuracy, and choices. In each period, we observe not only consumers' income inflows but also the difference between realized flows and previous-period numerical income expectations (contemporaneous unexpected income shocks). Moreover, in each period we can assess how expectations about future income differ from subsequent income realizations—a direct measure of the ex-post accuracy of consumers' income expectations. In this way, we can study directly how income expectations react when consumers face unexpected income shocks and which consumption and debt choices agents make based on such expectations dynamics.

We start by showing that the income expectations of the average consumer overreact to unexpected income shocks after both positive and negative shocks. That is, after a shock in either direction, expectations become systematically inaccurate in the direction of the current shock relative to future income realizations. Moreover, the size of this overreaction increases proportionally with the size of the unexpected income shock. The emergence of extrapolative income beliefs is not explained by a rich set of individual-level demographics, locations, or occupations, which we proxy with the industries in which consumers work. At the same time, demographics are important to understand the cross-sectional variation in the size of the belief mistake, which is larger for lower-income consumers, for consumers who face more volatile income flows, and for younger consumers. Facing larger income shocks increases also the second moment of consumers' income expectations—an effect that looms larger for negative shocks than for same-size positive shocks.

To better understand the economic channels that drive these results and obtain additional predictions to test empirically, we propose a simple theoretical framework of the intertemporal consumption choice problem featuring extrapolative expectations. In the framework, we use the diagnostic-expectations formulation of Bordalo et al. (2018) as a microfoundation of consumer expectation-formation process. This choice is motivated

¹For a recent review of survey-based research in economics, see Haaland et al. (2021). Examples in macroeconomics include Bachmann et al. (2013), ?, D'Acunto et al. (2021b), and Coibion et al. (2023) among others.

by our results that consumers overreact to the unexpected component of income shocks, which suggests that they put excessive weights on the states of the world that have objectively become more representative of future states based on observed realizations.

In this framework, a larger deviation between expected future income and realized future income predicts higher current consumption and, when consumers are allowed to borrow to finance current consumption, higher current borrowing and a higher likelihood of subsequent default. We find empirical evidence consistent with these three predictions: the larger is the difference between consumers' expected income and their realized future income, the larger is the present-day increase in spending and next period's stock of debt as well as the likelihood of default.

Once augmented with time-varying income volatility, the theoretical framework predicts that the consumption responses to unexpected income shocks should be asymmetric around zero: negative shocks should loom more than same-size positive shocks—a prediction for which we also find evidence in our data. This finding is important to microfound the aggregate dynamics of household debt cycles with inaccurate beliefs because existing literature shows that the buildup of spending and borrowing in times of positive GDP growth shocks is slower than the sudden drop in spending and borrowing after negative shocks (Mian, Sufi, and Verner, 2017).

Overall, our results provide direct micro-level evidence of a demand-side channel that might help explain the dynamics of household debt cycles across space and over time: the average consumer forms systematically excessive beliefs about future income when facing unexpected positive income shocks. She consequently raises more debt to finance higher current spending and, once subsequent income does not reach the expected levels, she is more likely to default.

Given the panel structure of the data, we can isolate the effects of biased belief by exploiting the emergence of idiosyncratic income shocks across consumers who make decisions at the same point in time by using within-individual variation in expectations and outcomes over time. Because we observe elicited expectations and outcomes for the same individual over time, our empirical analysis can also abstract from aggregate shocks that affect all consumers at the same point in time, such as the COVID-19 pandemic, which falls within our sample period.

At the same time, the individual-level channel we document can be important to understand aggregate dynamics of household debt cycles around economy-wide shocks: in the aggregate, in times of positive GDP growth more and more consumers might face unexpected income shocks and hence, through extrapolative income expectations, a larger fraction of consumers increases consumption and debt accumulation. By contrast, when GDP growth turns negative, more and more consumers face unexpectedly negative income shocks, drop their consumption and borrowing, and are more likely to default.

Inspired by this consideration, in the last part of the paper we investigate to what extent the micro-level demand-side channel we document might help us understand the dynamics of household debt cycles in the aggregate. To this aim, we estimate a structural model that incorporates diagnostic expectations with defaultable debt into a standard consumption model with incomplete markets and heterogeneous agents. We use this model to perform two exercises. First, we show that the model is successful in replicating the relationships between expectation errors and consumption, debt, and default choices we observe in the data with standard parametrizations.

As a second exercise, we simulate a heterogeneous-agent economy to isolate the effects of diagnostic expectations on aggregate consumption, debt, and default dynamics. We find that diagnostic expectations amplify the effects of positive income shock on income expectations and consumption. For this reason, agents who form expectations diagnostically start to accumulate more debt after positive income shocks relative to agents who learn rationally. Once we remove positive shocks, default risk increases substantially, but only with diagnostic expectations.

Overall, our simulation based on the structural model implies that diagnostic expectations can generate dynamics that are consistent with facts about household debt cycles documented in the literature. For instance, the fact that elevated consumer sentiment implies higher subsequent debt growth (López-Salido et al., 2017), and that the end of a booming period usually coincides with times of high financial fragility (Greenwood et al., 2019; Maxted, 2023).

Note that our paper does not argue that supply-side channels are irrelevant to explain

the dynamics of household debt cycles. To the contrary, credit limits and, more broadly, consumers' debt capacity are determined not only by consumers' income but also by banks' credit decisions. For instance, Aydin (2022) and Yin (2022) document the impact of supply-side forces on credit uptake and consumer spending by exploiting randomized increases in credit-card limits. Also, we microfound extrapolative expectations with the diagnostic framework because such framework is portable to various theoretical and empirical applications in economics, but we do not argue that diagnostic expectations are the only theoretical underpinning of the expectations-formation process that can be consistent with our results. Other forms of extrapolative expectations might also be consistent with some or all our results (for instance, see Barberis et al. (2018) and Barberis (2018)).

Our paper contributes to at least three strands of literature. First, it contributes to the study of the drivers of credit cycles. Theoretically, two categories of explanations emerge. On the one hand, financial frictions in the corporate and household sectors can be an amplification mechanism that induces cycles in credit supply (for instance, see Kiyotaki and Moore (1997), Gertler and Kiyotaki (2010), Brunnermeier and Sannikov (2014), He and Krishnamurthy (2019), Li (2019), and Mian et al. (2020)). On the other hand, beliefs and hence a demand channel can be relevant. For instance, beliefs might change when the incentives of producing information change over time, thereby inducing swings in asset prices and macroeconomic fluctuations (Gorton and Ordoñez (2014), Dang et al. (2020)). Alternatively, consumers' extrapolative expectations can generate credit cycles (Bordalo et al. (2018), Bianchi et al. (2021), L'Huillier et al. (2023) and Bordalo et al. (2021)). Our paper provides empirical evidence at the micro level consistent with a demand channel based on consumers' beliefs even though, as Krishnamurthy and Li (2020) suggest, both supply- and demand-side channels are likely to be important to explain credit fluctuations.

On the empirical side, the analysis of credit-cycle fluctuations so far has mostly focused on aggregate economy-wide or regional-level data.² In our paper, we focus on

²See, for instance, see Bordo et al. (2001), Borio and Lowe (2002), Claessens et al. (2010), Reinhart and Rogoff (2009), Borio and Lowe (2013), Jordà et al. (2013), Baron and Xiong (2017), Greenwood et al. (2020), Krishnamurthy and Muir (2017), Mian and Sufi (2018), Mian et al. (2020), and Baron et al. (2020), among others.

the household sector and contribute by providing micro-level evidence in a panel dataset that allows us to uncover how unexpected income shocks can induce over-reaction about future income, which leads to overreaction in total borrowing and to higher default rates.

The second area to which we contribute is the rich literature on the marginal propensity to consume out of income shocks (Parker et al., 2013; Fuster et al., 2020; Kueng, 2018; Olafsson and Pagel, 2018; Baugh et al., 2021; Fagereng et al., 2021)³. While most previous literature looks directly at the relationship between shocks to income and consumption, we document evidence that income shocks affect consumption also through a biased belief channel. Moreover, thanks to the richness of our transaction-level data, we can also provide evidence on the effects of income shocks not only on consumption but also on borrowing outcomes and subsequent default.

Lastly, this paper contributes to the growing literature on the role of beliefs in explaining consumers' spending-saving decisions (see DellaVigna (2009) and Benjamin (2019) for a review). In earlier work, Ameriks et al. (2016), Ameriks et al. (2020), and Ameriks et al. (2020) document the role of survey-elicited beliefs on retirement choices. Manski (2004), Ameriks et al. (2020), Giglio et al. (2021), and Beutel and Weber (2022) study the relationship between beliefs and stock-market investments. Bucks and Pence (2008), Bailey et al. (2019), and Kuchler et al. (2022) analyze how beliefs affect mortgage leverage choices. Our work builds on this literature by exploring a series of quantitative surveys matched to transaction-level data on consumer spending-saving decisions. D'Acunto et al. (2021b, 2022) and Coibion et al. (2022) assess the effect of macroeconomic expectations, namely inflation expectations, on households' consumption, saving, and borrowing choices. In this paper, we provide direct evidence on the role of income expectations and their departure from rational expectations in driving consumption, borrowing, and default outcomes.

³See Attanasio and Weber (2010) and Jappelli and Pistaferri (2010) for a review before 2010.)

II Theoretical Framework

Before describing our empirical setting and results, we propose a simple theoretical framework to clarify the assumptions that, in a partial equilibrium intertemporal consumption optimization problem with extrapolative expectations, produces the three predictions we test in the data.

A. Intertemporal Consumption Optimization with Extrapolative Expectations

We consider the standard lifetime consumption optimization problem of a consumer whose preferences display constant absolute risk aversion (CARA) with coefficient of risk aversion γ subject to a standard budget constraint. In each period, agents' asset holding a depends on the previous period's savings, that is, the difference between past asset holding and consumption c, and income y:

$$\max_{c_t} E_0 \left[-\frac{1}{\gamma} \sum_{t=0}^{\infty} \beta^t e^{-\gamma c_t} \right],$$

where β reflects the rate of time preference.

$$s.t. \ a_{t+1} = R(a_t - c_t + y_t).$$

Moreover, we assume that income evolves as an AR(1) process that follows:

$$y_{t+1} = y_t + \epsilon_{t+1},$$

where ϵ_{t+1} is an innovation that follows a standard normal distribution, i.e. $N(0, \sigma^2)$. A neoclassical agent would form full-information rational expectations over this income process.

In this model instead, we consider a diagnostic-expectations agent, who overweights the most recent news about income because such news provide information about states of the world that have objectively become more likely after the innovation. This intuition captures the *kernel of truth* feature of the representativeness principle, which microfounds diagnostic expectations in settings such as Bordalo et al. (2018). We consider this specific form of extrapolative expectations in our framework because it has been shown portable across several economic settings and is consistent with evidence from the laboratory.

Specifically, our framework assumes that the representative consumer puts a positive weight ($\theta > 0$) on contemporaneous income shocks when forming expectations about future income, which implies the following form of income expectations⁴:

$$y_{\theta,t+1} = y_t + \theta \epsilon_t. \tag{1}$$

The first order conditions with diagnostic expectations imply a closed-form optimal value of current consumption that differs from its neoclassical counterpart: the consumption rule is augmented so that it also depends on current unexpected income shocks (news relative to past expectations, ϵ_t):

$$c_t = \frac{r}{R}a_t + y_t - \frac{\log(\beta R)}{r\gamma} - \frac{\gamma\sigma^2}{2r} + \frac{\theta}{r}\epsilon_t.$$
 (2)

Due to the additional last term relative to the standard neoclassical consumption rule, the current consumption of an agent with diagnostic expectations will be higher than a neoclassical agent's if current unexpected income shocks are positive ($\epsilon_t > 0$), and lower otherwise, which leads to the following proposition:

Prediction 1 (Consumption). For a diagnostic-expectations agent, current unexpected positive income shocks increase current consumption relative to a neoclassical agent, whereas current unexpected negative income shocks reduce it. These differences increase with the size of the shock.

In this setting, agents can borrow to finance current consumption at the expense of future wealth. Therefore, higher current consumption after unexpected positive income shocks implies higher current borrowing and higher future debt for diagnostic agents

⁴The detailed derivation of the functional form based on diagnostic expectation follows directly from Bordalo et al. (2018).

relative to agents with rational expectations. We thus also assess the probability that a diagnostic-expectations agent default on her debt relative to the neoclassical counterpart. Given the standard budget constraint, we can define the probability of default of the representative consumer as the probability that the growth of wealth in the next period falls below an exogenous threshold $(\psi)^5$, which is distributed according to a standard normal distribution function:

$$p_{d,t+1} = Pr\left(a_{t+1} + y_{t+1} < \psi\right)$$
$$= \Phi\left(\frac{\psi - R(a_t - c_t + y_t) - y_t}{\sigma}\right).$$

Because current consumption, c_t , is higher after unexpected positive income shocks than for a neoclassical agent, future wealth is lower and hence the likelihood that the sum of future wealth and future income falls below the default threshold is higher than for a neoclassical agent, ceteris paribus.⁶ Note that the larger is the current unexpected positive income shock, the higher is the probability of default.

Prediction 2 (Debt and Default). A diagnostic-expectations agent borrows more than a neoclassical agent after unexpected positive income shocks and faces a higher probability of default. These differences increase with the size of the shock.

B. Introducing Time-Varying Income Volatility

So far, we have compared the consumption and borrowing choices of a diagnostic-expectations consumer relative to a neoclassical consumer in a setting in which income followed a simple AR(1) process. Because all the differences between these two agents boil down to the assumptions we make about the dynamics of income, and hence income expectations, assessing the role of diagnostic expectations in a setting in which

⁵Our baseline framework does not allow for strategic default. We assume a consumer's default choice follows a threshold rule over the amount of savings, ceteris paribus. This assumption is motivated by the micro-foundation of the previous literature that studies household debt and default behaviors (e.g., Livshits et al. (2007)). When the value of choosing to default does not change with the amount of debt and the value of repaying is decreasing in the debt level, the default decision follows a simple threshold rule over total wealth.

⁶The opposite is true if the diagnostic-expectations agent faces an unexpected negative income shock.

income follows a law of motion that is closer to what earlier research has documented in observational data is important.

Time-varying volatility of individual-level life-cycle income is an important feature that earlier research based on micro-level data has documented (for instance, see Guvenen and Smith (2014); Fagereng et al. (2018); Chang et al. (2021)). Incorporating this feature in our simple setting provides richer predictions on the differences between diagnostic-expectations and neoclassical agents' consumption choices. To see this, assume that income follows a process in which volatility increases with the size of the current income shock, which is distributed according to a standard normal distribution:

$$y_{t+1} = y_t + \sigma_{t+1}\epsilon_{t+1}$$
$$\epsilon_{t+1} \sim N(0, 1)$$
$$\sigma_{t+1}^2 = \alpha_0 + \alpha_1(\sigma_t \epsilon_t)^2,$$

with the restriction that⁷

$$\omega_t = 1 + \frac{\alpha_1}{\alpha_0} (\sigma_t \epsilon_t)^2 < \left(1 + \frac{1}{\theta}\right)^{\frac{1}{2}}.$$

Then the expectations of future income of a diagnostic-expectations agent follows

$$E_{t}[y_{\theta,t+1}] = E_{t}[y_{t+1}] + \tilde{\theta} (y_{t} - E_{t-1}[y_{t}])$$

$$\sigma_{\theta,t+1}^{2} = \sigma_{t+1}^{2} \frac{1}{1 - \theta(\omega_{t}^{2} - 1)}$$

$$\tilde{\theta} = \theta \frac{\omega_{t}^{2}}{1 - \theta(\omega_{t}^{2} - 1)}.$$

We can thus write the dynamics of income for a diagnostic-expectations agent as follows:

 $^{^{7}}$ This condition ensures that the variance does not increase excessively, and thus diagnostic expectations are normalizable. This condition always holds in the limit of rational expectations. See Bordalo et al. (2018) for more details.

$$y_{\theta,t+1} = y_t + \tilde{\theta}\epsilon_t + \epsilon_{\theta,t+1},$$

and the first order conditions from the Euler equation imply the following closed-form expression for optimal current consumption:

$$c_t = \frac{r}{R}a_t + y_t - \frac{\log(\beta R)}{r\gamma} - \frac{\gamma \sigma_{\theta,t+1}^2}{2r} + \frac{\tilde{\theta}}{r}\epsilon_t.$$
 (3)

We can see that in this case higher current-income volatility, σ_t^2 , increases both $\sigma_{\theta,t+1}^2$ and $\tilde{\theta}$ and hence negative realizations of ϵ_t reduce optimal current consumption by more than same-sized positive realizations increase it.

Prediction 3 (Asymmetry). When facing time-varying income volatility, a diagnostic-expectations agent cuts current consumption after negative unexpected income shocks by more than she increases current consumption after same-sized positive unexpected income shocks.

III Institutional Setting and Data

We collaborate with a large Chinese commercial bank that operate across the whole country to obtain transaction-level information on a large representative sample of consumers. We also field a customized survey on these customers to elicit a set of individual-level economic expectations through multiple survey waves. The bank operates nationally and is among the top 10 commercial banks in China by total assets. In 2020, the bank's total assets amounted to more than one trillion dollars. Because of the broad customer base of this bank, the random sample for which we obtain data and elicit expectations is representative of the Chinese banked population.

We obtain debt data at the consumer level from the Credit Reference Center of the People's Bank of China (China's official credit registry), based on the reference reports retrieved by the bank. The Credit Reference Center aggregates personal credit information from all financial institutions. This feature is crucial for our analysis because we can observe the amount of debt raised in each period by the consumer across all the financial institutions she can access and not just the specific bank with which we cooperate.

A. Primary Banking Institution: Sample Restrictions

The credit registry does not collect spending information. To study consumption choices, we thus need to rely on transaction-level data within the bank. This feature of our design raises the concern that consumers might have multiple bank relationships and multiple spending accounts. In this case, we would only observe a fraction of consumers' overall spending. To tackle this concern, we follow recent research that also uses single-provider transaction-level data (e.g., see Ganong and Noel (2019)) and impose two restrictions on the accounts that enter our empirical analysis to capture consumers who are most likely to use the bank with which we collaborate as their primary banking institution.

First, we only consider consumers whose bank accounts include at least 15 outflow transactions during the sample period. An outflow is any debit from a checking, saving, or credit card account, including a cash withdrawal, an electronic payment, or a card transaction. Imposing this criterion reduces the original sample by approximately 35%. The second restriction we impose is that consumers' income can be identified and calculated directly by observing regular inflows to the bank's checking accounts. This restriction leads to a drop of about 10% of the observations in the overall sample.

B. Measuring Income and Spending

For our working sample, the transaction-level data allows direct measurement of income inflows and spending outflows. In terms of income, we follow the steps the bank with which we cooperate uses, which identify individual income following a classification rule of regular inflows. The bank classifies income into three main categories: salary, business cash flows, and cash flows from financial investments.

Salary is defined as the regular monthly income flow and bonuses if the customer declares working as an employee. The bank calculates this number in one of two

alternatives ways. First, if income is paid as a direct deposit from the consumers' employers into the bank account, the number is directly labeled as salary in the bank's system. Otherwise, the bank can identify monthly income if the consumer's social security insurance, which is a fixed portion of the consumer's income, is paid through the bank.⁸ Removing customers whose income cannot be identified and computed with certainty reduces the sample by 10.3%.

As far as income from financial investments is concerned, the bank computes it as the difference between the total inflows and the total outflows from agents' investment accounts. Income from business operations is the difference between total inflows and total outflows of transactions that are categorized as business operations.

When aggregating all incomes in our sample, the split of the three components is 62.33% from salary, 26.11% from business operations, and 11.56% from financial investments. We can directly verify that these figures are not only representative of the Chinese banked population but also accurately computed at the individual level by matching the income computations at the consumer-year level from the bank to individual-level data from the Chinese tax administrative agency. We report the results of this comparison in Panel A of Figure A.1. The figure is a bin scatter plot that compares the income computed by the bank based on transaction-level data based on the procedures described above and the income the same individuals report to the Chinese tax authority. We see a strong linear relationship between these two values, with a R^2 of 78.26%, which corroborates the quality of our income data and the fact that for the primary bank user sample on which we focus, the bank does not appear to miss systematic sources of income that are instead declared by users in their tax filings.

Moving on to the measurement of spending, we compute monthly total spending as

⁸In China, social security payments have six components: five types of insurance and a housing provident fund. The types of insurance are paid as a fixed proportion of the worker's monthly income. One such insurance is retirement saving insurance, which is similar to the retirement savings plan in the US. With a monthly income of 5,000 CNY, the monthly contribution is 8%. However, the income base for social security is usually capped at the two tails of the income distribution. The numbers are different by geographic area but are usually at 30% and 300% or 40% and 400% of the previous year's average income in that area. Therefore, for those who earn more than 300% of the last year's average income in the area, the total monthly payment is equal to $8\% \times 300\% \times \bar{Y}$, where \bar{Y} is the previous year's average income in the area. The uncapped distribution is wide enough to cover most of the workers in China. In our analysis, we remove the consumers in the capped regions from the final sample.

the sum of all nondurable purchasing transactions from consumers' checking account plus the total amount of repayment of linked credit cards' end-of-month balances between the end of the last billing cycle and the current billing cycle. Debt is the sum of outstanding interest-incurring balances on all credit cards and other unsecured personal loans that, as we discussed above, we observe across all financial institutions with which consumers have a relationship through the credit registry data.

C. Eliciting Income Expectations: Incentives and Data Quality

To elicit consumers' expectations, we designed a short survey that the bank administered to the consumers in our sample. To avoid consumers' cognitive overload and disaffection due to a time-intensive request, the bank limited the number of questions we could pose to a total of 10 questions. We report our own English translation of the full survey (which was administered in mandarin) in Appendix I.

The survey starts with indicating its purpose. On top of guaranteeing that survey participants are fully informed about the aims of the study, this step also aims to avoid that participants develop a strategic motive when answering. Indeed, respondents might incorrectly infer that their answers would affect the types and quantities of financial services the bank would offer them going forward. To reach both aims, the survey starts by stating that the results will be used for academic research purposes and to "understand the impact of credit cards on people's lives. [The answers] will not, in any way, change the types of financial products we provide". This explicit framing was designed to minimize the possibility that consumers provide answers that depart from their true beliefs in the hope of obtaining better services from the bank if they provided distorted expectations.

Moving on to the questions, respondents are first asked to report their average income over the previous six months. Because we observe income inflows in the data and we restrict the sample to primary bank users, we can compare the answer to this question to the actual income flows in the respondent's account, which serves as a data quality check: if we were concerned that many respondents answered our questions at random to finish quickly and/or to provide false information on purpose, we would be able to detect this behavior from the income question. Panel B of Figure A.1 is a binned scatter plot

that compares reported income values in the survey with the same respondents' income flows computed from the bank's account-level administrative data. The plot documents a strong linear relationship. A regression between the two variables yields an R^2 of around 72.56%. This evidence corroborates the validity and reliability of the survey's answers.

As far as expectations about individual economic outcomes are concerned, we followed state-of-the-art elicitation methodologies to elicit not only the first moment of income expectations but also a full-blown subjective beliefs distribution ((Manski (2004)). To obtain a first-moment point estimate, we ask:

What would your average monthly income most likely be in the next 6 months?

To elicit the full-blown beliefs distribution, asking consumers to report a probability distribution directly is highly cognitive demanding and faces the concern that most consumers might not have enough numerical literacy to understand what is a probability distribution, which would invalidate the exercise by confounding actual beliefs with a measure of respondents' cognitive abilities, which in turn shape beliefs (D'Acunto et al. (2019, 2021b)).

To tackle this concern, we rely on the triangular-distribution question design that was recently proposed in economics research (for instance, see Guiso et al. (2002); Christelis et al. (2020)). This design consists of asking respondents for a point estimate of the numerical value of the expected minimum of a variable and the expected maximum. This design allows us to compute the second moment of individual-level subjective expectations after imposing the assumption that the distribution of beliefs is symmetric around the midpoint between the minimum and maximum possible expect values.⁹

We elicit these value with the following two questions:

What would be the lowest possible level of average monthly income you believe you would get over the next 6 months?

What would be the highest possible level of average monthly income you believe you would get over the next 6 months?

⁹Eliciting also a subjective probability that the outcome falls above the midpoint typically results in identical first and second moments, see, Coibion et al. (2023).

Moreover, the survey includes a similar set of three questions that elicit respondents' expectations about the future credit limits the bank is likely to set on their credit cards to assess directly respondents' beliefs about potential changes in the supply-side of debt, which would affect respondents' spending and borrowing choices above and beyond changes in their own income.

The survey is filed in two rounds. Each round contains two waves sent to the same participants. The first set of two waves were sent in January 2020 and July 2020 and the second set were sent in January 2021 and July 2021. Overall, the surveys thus cover consumers' expectation over four six-month period. We supplement each of the two rounds of surveys with consumer bank-account data over the periods before and after the surveys.

Because our administrative and survey-based data cover the same individuals across several time periods, we can exploit variation in income expectations and actual realizations and economic choices within individuals over time. Hence, we can absorb systematic time-invariant unobserved characteristics across individuals that might confound the relationship between income expectations and consumption/debt choices, such as cognitive abilities and financial literacy. To ensure that we can control for individual fixed effects, we include individuals that have completed at least three of the four waves of surveys.

Moreover, by observing cross-sections of respondents across multiple time periods, we can assess our baseline predictions within time periods. This allows us to absorb the effects of aggregate economic shocks that all consumers faced at the same point in time. This feature is important in our setting given that the early sample spans the times before and after the start of the COVID-19 pandemic as well as periods in which the pandemic had its utmost negative effect on economic outcomes and, possibly, on beliefs (January to June 2020).

D. Summary Statistics

Table I provides summary statistics for our sample. Panel A summarizes consumers' demographic characteristics and panel B the same consumers' expectations as elicited

from the survey. All variables are converted to US dollars for ease of interpretation and are winsorized at 1-99% levels to reduce the influence of potentially extreme outliers.

In terms of demographics, the age distribution of the consumers in our sample is symmetric around its mean (about 38 years old) and most consumers are in their active working age—the interquantile range is between 29 and 46 years. Moreover, the gender distribution of the sample is quite balanced and includes 51% women and 49% men. These demographic characteristics of the sample dismiss a common concern with transaction-level banking samples that tend to oversample male and younger consumers. This balancing is important for the external validity of our analysis given that men and women might differ systematically in the extent to which their expectations depart from subsequent realizations, for instance due to the higher prevalence of overconfident beliefs in men documented in other settings or relying on alternative information sources to form expectations (D'Acunto et al., 2021).

Moving on to the actual administrative data on spending, income, debt, and saving based on bank accounts, we see that the average monthly income is around \$1,840, whereas the average monthly spending is around \$1,370. Both distributions are right skewed, even though the spending distribution is more skewed. This can be seen by the fact that the median income is about \$1,160, whereas the median spending amount is only about \$500. Consumers have accumulated on average \$18,504 in savings at the time of the first round of surveys, but even in this case a fat right tail emerges—the median consumer has only accumulated about \$4,430 in savings.

On the debt side, we see that the average outstanding interest-incurring unsecured debt is around \$1,100. This figure masks substantial heterogeneity given that the median consumer, in fact, has no interest-bearing unsecured debt outstanding. And, indeed, conditional on holding a positive amount of debt, the average consumer had accumulated about \$2,600 in debt before the survey was administered. A simple calculation indicates that around 42% of the consumers in the sample held positive credit card debt. This figure is similar to the range of 40% to 60% found in the previous literature using data on US consumers (Gross and Souleles, 2002; Zinman, 2009; Fulford, 2015). Note that the amounts of debt consumers accumulate are, on average, substantially lower than the

credit limits they are assigned by all banks (on average about \$12,000) and hence the maximum amounts of debt they could raise. For this reason, most consumers in our setting have substantial untapped debt capacity.

The bottom part of Table I reports statistics for the elicited point estimates and ranges of consumers' expectations about their income and updated credit limit over the following six months. We can see that both the average and median expected income are higher than the average and median incomes measured based on administrative bank data for the six month period before the survey was administered. We can see this point more directly from the distribution of the difference between consumers' income over the six months before the survey and their expected income over the subsequent six months: the average and median values are respectively -\$105 and -\$129. Reported expected future credit limits align with consumers' income expectations in that they are also higher than the existing credit limits at the time consumers are surveyed.

IV Unexpected Shocks and Expectations

The main empirical challenge the econometrician faces when trying to bring the three predictions we propose to the data is the combination of consumer-level income shocks in the current period as well as subjective expectation errors in the next period. That is, we need to study how *objective* income shocks affect *subjective* forecast errors. Such information typically cannot be measured in standard observational data that do not include information on income expectations.

In our setting, we address this issue directly by first measuring consumers' quantitative expectations of future income through our survey waves and observing their ex-post income realizations based on transaction-level data. In this way, at each point in time we have continuous measures of two crucial dimensions at the individual consumer level: (i) the realized (and observed by consumers) income changes between the previous period and the current period (ΔY_t) , and (ii) the deviation between current expectations of future income and actual subsequent realizations of future income $(E_C[Y_{t+1}] - Y_{t+1})$.

Our estimates of income shock in period t is based on the following specification:

$$Y_{i,t+1} = \rho_{j,k,a} Y_{i,t} + \Gamma X_{i,t} + \epsilon_{i,t+1}. \tag{4}$$

The estimation strategy is similar to the estimation of expected and unexpected tax refunds in Baugh et al. (2021). In equation (4), $Y_{i,t+1}$ is consumer i's income in period t+1, $X_{i,t}$ is a set of consumer demographics that includes age, age-squared, educational attainment, gender, the log of savings in the previous period, the log of the credit limit in the previous period, city fixed effects, and industry \times period fixed effects. The period is defined as a half year to be consistent with the design of the survey. $\rho_{j,k,a}$ is the persistence of income at industry-city-age quintile level. We use the residual $\epsilon_{i,t+1}$ as our measure of objective income shocks in period t+1.

We first compare the objective income shocks derived from equation (4) with the subjective income shocks we compute from the survey answers, which are the difference between a consumer's expected average income over the subsequent six months and her actual average income over the subsequent six months. Figure 2 is a binned scatter plot that plots the objective income shocks against the subjective ones. Panel A is the raw measure, while Panel B uses the measures residualized by consumer demographics. The plots show a linear relationship between the two measures. For the unresidualized measure, the R^2 is 0.53, indicating a high but far from perfect correlation between the two measures.

Overall, although consumers appear to form expectations about income that are on average positively correlated with actual future income shocks, the correlation is far from 1 and there is scope for systematic deviations of expectations from ex-post realized outcomes, which we investigate further in the next subsection.

A. Extrapolative Income Expectations

The measures of realized income, subjective income, and objective income dynamics allow us to test directly whether unexpected current income shocks determine a larger deviation of future income expectations from actual future income realizations. Hence, we can test whether, on average, the income expectations of the consumers in our data are extrapolative like those of diagnostic-expectations agents. Running this test before moving to the predictions about economic decisions (consumption and debt) is important to assess whether our diagnostic-expectations interpretation has any scope in the data and hence whether the predictions about consumption and debt we derived in our simple theoretical framework can be brought to the data.

We start by presenting motivating evidence about systematic mistakes in consumers' income expectations (income misbeliefs). Panel A of Figure 1 depicts a binned scatter plot of ex-post realized income against ex-ante income expectations as elicited through the survey. Both dimensions are positively associated, which indicates that consumers' forecasts go on average in the same direction as realized values. However, Panel B plots the forecast errors. The label $E_C[Y_{t+1}]$ indicates that the expectation is subjective and is measured from the perspective of the consumers. Figure 1 shows that, despite a linear relationship between forecasted income and realized income, the distribution of forecast errors is wide: the standard deviation of forecast errors is about one third of the size of the standard deviation of the distribution of income.

We continue by assessing the relationship between current-period unexpected income and misbeliefs about next-period income. Figure 3 reports a binned-scatter plots of forecasts errors and unexpected income. In each of the four panels, the y-axes report subjective forecast errors measured using next-period income realizations. In Panel A and Panel B, the x-axes report the objective income shocks in the current period as retrieved from equation (4). In Panel C and Panel D, the x-axes report the subjective unexpected income shock in the current period. Consistent with Proposition 1, the plots show a positive relationship between income shocks and income forecast errors irrespective of whether income shocks are measured objectively based on the specification in equation (4) or subjectively based on survey answers.

To move one step forward relative to the raw data, we estimate the following specification:

$$E_C[Y_{i,t+1}] - Y_{i,t+1} = \beta(Y_{i,t} - E[Y_{i,t}]) + X'_{i,t}\delta + \eta + \nu^Y_{i,t},$$
(5)

where X is a vector of individual-level characteristics that includes age and its square, educational attainment, female indicator, the log number of weekly hours worked in period t, the logarithms of monthly income and credit-card limits in period t-1, which proxies for consumer's debt capacity, consumer expected income changes from period t-1 to t, and different sets of fixed effects (η) .

The left-hand-side variable in equation (5), $E_C[Y_{i,t+1}] - Y_{i,t+1}$, measures the subjective expectation error at time t+1. On the right-hand-side, $Y_{i,t} - E[Y_{i,t}] = \epsilon_{i,t}$ measures the income shocks at time t. Our coefficient of interest is β , which estimates the marginal relationship between current-period income shock and next-period expectation error. As predicted by Proposition 1, β should be zero for an agent with rational expectations but positive for an agent with extrapolative expectations.

Table II reports the results for estimating equation (5). Column (1) only includes the unexpected income changes in period t as the right-hand-side variable. Column (2) adds in individual characteristics X as controls. Column (3) controls for the city \times year fixed effects and industry fixed effects. In the end, column (4) further adds individual fixed effects. Across all columns, $\hat{\beta}$ is significantly larger than zero and quite stable regardless of the specific set of characteristics that are kept constant.

Focusing on column (4), the inclusion city \times year fixed effects absorbs shocks in a year that might induce a structural change in the income processes of all consumers in the same city. At the same time, the inclusion of individual fixed effects absorbs unobserved individual-level characteristics that might induce negative auto-correlation of subjective expectations across periods. As a result, our specification compares how larger income shocks would induce the same individual to form larger expectation errors for future outcomes. The estimate of $\hat{\beta}$ in column (4) is 0.389, which means that for a one-dollar unexpected income change in the current period the average consumer over-estimates her income in the next period by about 39 cents. Mapped into equation (1), this estimate implies a θ of 0.389 in the framework presented in Section II.

Note that in equation (5), we regress future forecast errors on current income innovations. Because we observe subjective income errors for the same consumers over more than two periods, we can also study the relationship between future forecast errors

and current subjective income shocks. We report the results in Table A.1 in the Online Appendix. The results of using subjective income shocks at time t are very close to those we obtained when using the objective income innovation $\epsilon_{i,t}$.¹⁰

The results so far suggest that the expectations about future income of the average consumer in our sample overreact to shocks to current income, which is consistent with the notion of diagnostic expectations. If these patterns were attributable to diagnostic expectations, though, we would also observe substantial heterogeneity in the association between the size of observed income news and the inaccuracy of expectations about future income across consumers. In particular, consumers who face more volatile incomes should overreact more to unexpected income shocks relative to others, because they are more likely to observe larger unexpected shocks.

To assess this potential source of heterogeneity in the data, we consider four proxies for consumers' income volatility – the actual implied standard deviation of the logarithm of expected income growth; whether the consumer belongs to the bottom half of the income distribution, which based on earlier research faces more volatile income realizations (Fermand et al., 2023); consumers' age, because incomes tend to be more volatile among younger individuals; and consumers' educational attainment, because incomes tend to be more volatile among non-college-educated individuals.

Table III reports the results for estimating equation (5) in a form that includes interactions with our four proxies for income volatility. The results show that the extent of overreaction to unexpected news about income appears systematically lower for consumers whose incomes are less volatile: consumers above the median of the income distribution overreact less than others by about half; those whose implied expected income growth is higher overreact by more; and, older consumers and college-educated consumers overreact by less.

We continue to study the effects of income shocks on misbeliefs separately for the two rounds of the survey, which allows us to assess if the extent of extrapolation varies across the business cycle. The first wave, which happened at the onset of the COVID crisis,

 $^{^{10}}$ If the data generating process and expectation process indeed follow the assumptions in Section II, beta estimated using subjective income shocks would be biased due to serial correlation between expectation errors. However, the bias when $\theta is around 0.4$, as estimated in Table II, is very small.

is characterized by heightened uncertainty about future economic activities and incomes given the shutdown of multiple types of economic activities.¹¹ At the time of the second wave, instead, most areas in China had moved back to relatively normal business-cycle conditions. We can thus use results from the two rounds of surveys to assess extrapolative attitudes for income expectations during both recessions and expansions. The results are shown in Table IV. In general, we observe over-extrapolation across both rounds of surveys. At the same time, there is heterogeneity across the two periods. As shown in columns (1) and (2), the degree of extrapolation is larger during the first round, which indicates that the degree of extrapolation tends to be larger during economic downturns and periods of heightened uncertainty about future economic conditions.

Overall, the expectations-formation process of the average consumer in our setting, which we can observe directly rather than through revealed choices, is extrapolative and appears consistent with the diagnostic-expectations framework based on which we have obtained predictions for consumption and debt choices as well as subsequent likelihoods of default.

f V Extrapolative Expectations and Consumption, $f Debt,\, Defaults$

In this section, we move forward to bring to the data the predictions of our theoretical framework regarding the role of unexpected income shocks on consumption and debt choices.

Our first prediction relates to current consumption choices: because diagnosticexpectations agents overestimate future income when facing positive unexpected income shocks, we should expect higher current consumption induced by excess expected income, and vice versa. We estimate variations of the following linear specification:

$$\Delta C_{i,t} = \gamma (E[Y_{i,t+1}] - Y_{i,t+1}) + X'_{i,t} \delta + \eta + \nu^{C}_{i,t}, \tag{6}$$

¹¹In China, COVID induced a nation-wide lockdown starting at the end of January 2020. However, most areas turned to relatively normal conditions around late February 2020 to early March 2020. Wuhan was the latest city for which the lockdown policy was removed, which happened on April 8, 2020.

where $\Delta C_{i,t}$ is the change in total non-durable consumption at time t relative to the previous period (t-1), and all other variables are defined as in equation (5). We report the estimates in Table V. Column (1) considers a baseline univariate specification. In this case, we can see that consumers who have income expectations \$1,000 higher than future actual realizations increase their current consumption by about \$267 dollars more than other consumers. The statistical significance and size of this association is similar once, in column (2), we keep constant the characteristics we observe. Adding these controls increases the explained variation of the individual current change in spending from an R^2 of 3.88% to about 28.93%, and yet the estimated association between excess income expectations and change in spending barely changes.

Because expectation errors increase current consumption but not future realized income, positive forecast errors induce consumption to deviate from the optimal path. The positive response in current consumption paired with negative surprises in future income suggests that debt should increase when expectations errors are positive. We thus also assess if excessive income expectations predict an increase in borrowing in the next period relative to the current period. Note that, ex ante, this association could be zero if agents were liquidity and financially unconstrained and could finance the full amount of current spending increase with available cash. For this test, we estimate a version of equation (6) in which the left-hand-side variable is $\Delta B_{i,t+1}$, i.e. the difference between the average outstanding interest-bearing unsecured debt over the six months between period t+1 and period t.

Table V reveals that the larger is the difference between income expectations and actual ex-post income realization, the higher is the increase in the unsecured debt consumers raise, and the estimated magnitude is similar irrespective of whether we consider the univariate association (column (3)) or we include the full set of observables in our analysis (column (4)). The estimate indicates that, for each dollar higher misbelief in the average monthly income over the following period, average monthly unsecured debt in the same period increases by about 8 cents.

As we discussed above, these results capture the debt raised across all possible sources covered in the credit registry and not just the bank with which we cooperate. By contrast,

consumption data is based on the accounts at that bank. To dismiss this concern, on top of the screening filters we use to select consumers for which the bank we observe is the primary banking institution, we study the relationship between expectation errors and the changes in cash withdrawal/ net transfers between our bank and external bank accounts. The results are in Online Appendix Table A.5. We find that in our complete specifications no significant relationship between expectation errors and cash withdrawals or net transfers exists, which dismisses the concern that our results on consumption are driven by balance shifting between observed and unobserved bank accounts.

We then consider the likelihood of default on unsecured personal loans. This outcome is also important to study because if consumers were increasing their debt due to extrapolative income expectations but repay such debt fully, extrapolative expectations would still represent a microfoundation for household debt cycles but would not necessarily be worrisome from a policy perspective.

To assess the relationship between misbelief and the likelihood of default, we use a 90-day delinquency indicator in period t+1 as the default event, and re-estimate equation (5) using the default indicator as the left-hand-side variable. Default is multiplied by 100 and forecast errors are multiplied by 1,000 for easier interpretation. Note that, because by construction we are limited to observing outcomes up to time t+1 but defaults might happen at any subsequent time until the loan is required to be repaid, our estimates might represent a lower bound of the actual size of the relationship between excessive income expectations and the likelihood of future default.

Columns (5) - (6) of Table V document that a higher distance between consumers' income expectations and ex-post realizations is associated with a higher probability of default. From column (6), for each \$1,000 higher mistake in income expectations, default is about 1.2-percentage-point higher. This magnitude is large if we consider that the average default rate in our sample during our sample period is only 2.4%, and hence a \$1,000 higher mistake in income expectations leads to a 50% higher likelihood of default relative to the sample mean. The findings are consistent with the aggregate dynamics such that credit-market sentiment leads financial fragility (López-Salido et al., 2017)

Overreaction in income expectations increase spending in the short run. However, in

the long run, once consumers observe subsequent income realizations and note that they are lower than expected, debt and consumption amounts should revert back. We assess this possibility by considering the relationship between cumulative spending and income forecast errors at different horizons. Specifically, we consider the following specification:

$$C_{i,\tau+k} - C_{i,\tau-1} = \alpha + \beta_k (E_C[Y_{i,t+1}] - Y_{i,t+1}) + X'_{i,t}\delta + \eta + \nu^C_{i,\tau+k}.$$
 (7)

In equation (7), τ is the first quarter of period t. Recall that t is a time period that covers six months. Therefore, in equation (6), period t includes the quarters τ and $\tau + 1$, whereas period t + 1 includes the quarters $\tau + 2$ and $\tau + 3$. Thus, $C_{i,\tau-1}$ is the average monthly nondurable spending in the quarter before the first survey. $E_C[Y_{i,t+1}]$ is the expected average monthly income during quarters $\tau + 2$ and $\tau + 3$. Analogously, equation (6) can be written in the form of equation (7) if we replace the left-hand-side variable with $C_{i,\tau+1} + C_{i,\tau+2} - C_{i,\tau-1} - C_{i,\tau-2}$. We fit 12 regressions based on the specification of equation (6) for k ranging from -4 to 8 excluding k = -1, which we use as the benchmark consumption. Therefore, equation (7) measures the relationship between expectation errors at time t + 1 and cumulative spending from quarter $\tau - 1$ to quarter $\tau + k$.

The results are reported graphically in Figure 4. Panels A and B respectively plots the results for nondurable spending and borrowing. The red solid lines depict positive expectation errors, and the blue dashed lines negative expectation errors. Consistent with overreaction, consumers first increase their consumption during the two quarters before the time when expectation errors are measured (quarters 2 and 3) as well as during the two quarters when expectation errors are measured. However, afterwards, both consumption and debt start to revert and in fact revert almost fully to the level of three quarters before the time in which expectation errors are measured.

VI Asymmetric Effects: Positive and Negative Unexpected Income Shocks

An important feature of household debt cycles as described in aggregate-level data by earlier research is that these cycles and their correlations with households' spending decisions build up slowly in times of positive income growth (positive domain) but drop quickly in times of negative income growth (negative domain), that is, as soon as a recession hits.

In our theoretical framework, we have shown that diagnostic expectations can rationalize this asymmetric effect of income expectations once we allow for consumers' income volatility to vary over time. Not only should unexpected income shocks have a stronger effect on economic choices in the negative domain, but this effect should largely be driven by consumers who expect more volatile income growth going forward.

Before assessing these predictions, we test in the data whether unexpected income shocks affect consumers' subjective income volatility. We do so by estimating versions of equation (5) in which the outcome variable is the standard deviation of consumers' expected income growth, which we compute based on our survey question under the assumption that income beliefs follow a simple triangular distribution. Because we are considering the second moment of the distribution, we use the absolute value of the unexpected income shocks as the outcome variable.

In columns (1) - (2) of Table VI, we find that as the size of the unexpected income shock increases, irrespective of its sign, the standard deviation of expected future income growth increases as well and this association stays similar when we control for observables. Moreover, to assess whether negative and positive unexpected income shocks of the same size relate to expectations differently, in columns (3)-(4) we interact the absolute value of the unexpected income shock with a dummy variable for whether the shock is negative. We find that, indeed, not only the second moment of future income growth is higher after negative income shocks, but the association between the unexpected income shock and income-expectations volatility is higher for negative shocks than for positive shocks of the same size. Specifically, for each \$1,000 higher income shock, subjective income volatility

is 9.9% larger for positive shocks but about 26.2% higher for negative shocks.

We now move on to test whether unexpected income shocks in the negative domain have an effect on consumption and debt choices of larger size relative to income shocks in the positive domain. Columns (1) and (3) of Table VII reveal that, indeed, the consumption and debt accumulation response to unexpected income shocks is stronger for negative shocks relative to positive shocks. Note that, for negative shocks, the control variable is negative and hence the shock is larger the lower, rather than higher the variable is. For this reason, a positive coefficient means that the larger is the shock, the more negative is the change in current consumption.

VII Extending the Time Series: Income Innovations and Consumption

Our analysis is based on differences in expectations and consumption within individuals when we add individual fixed effects to our specifications, which rules out that systematic unobserved heterogeneity across consumers might affect at the same time the levels and changes of consumption and expectations. However, our sample includes a relatively short panel. In such cases, the assumption that income innovations average out to zero might be challenged (Chamberlain, 1982; Keane and Runkle, 1998; Souleles, 2004).

To tackle this concern, in robustness analysis we study the relationship between income innovations and spending decisions, for which we observe a much longer time series from the bank-level data, including periods in which no surveys were administered. Specifically, we focus on the same set of consumers that answered the survey waves but extend the bank-level data to the longest time horizon we can observe in the bank-level data, which is on average about 4.7 years (9 or more observations) for each consumer.

The results are shown in Table A.4. The odd columns focus on the same sampling periods as in the main study, while the even columns extend the data to include all the periods we have available in the bank-level data. We can see that the conditional association between income innovations and consumption choices is quite similar across columns, which, even if not directly observed over a longer period of time, suggests that

the relationship between expectations mistakes and consumption choices might also be stable over longer sample period than we have available based on the survey waves we could run on the banks' consumers.

VIII From Reduced Form to Quantitative Analysis: A Structural Estimation

Our analysis so far has produced reduced-form evidence that is consistent with the predictions of our simple theoretical framework in which we microfound extrapolative expectations with diagnostic expectations. To assess whether this microfoundation can provide plausible quantitative predictions on top of the directional results of our reduced-form analysis, in this section we introduce diagnostic expectations with defaultable debt into a standard consumption model with incomplete market and heterogeneous agents and we use the model to study the relationship between unexpected income shocks, expectation errors, and consumption-decision making quantitatively.

A. Income Process and Expectation Formation

In the model, time is discrete and denoted by t = 1, 2, ... A unit mass of consumers exists that are subject to idiosyncratic income risk. For each individual i, the process of income $y_{i,t}$ follows:

$$\log y_{i,t} = \alpha + z_{i,t} + \epsilon_{i,t}$$

$$z_{i,t} = \rho z_{i,t-1} + \eta_{i,t},$$
(8)

where $\epsilon_{i,t}$ and $\eta_{i,t}$ are i.i.d. normal shocks with $\mathbb{E}[e^{\epsilon_{i,t}}] = 1$ and $\mathbb{E}[e^{\eta_{i,t}}] = 1$. The variances of $\epsilon_{i,t}$ and $\eta_{i,t}$ are σ_{ϵ}^2 and σ_{η}^2 , respectively. α is the life-cycle component, which we assume is constant and common knowledge.

Consumers do not know the true value of $z_{i,t}$ and need to make inferences based on Bayesian learning. The Kalman-filtering problem with respect to the persistent component of $\log y_{i,t}$ here adapts Guvenen (2007) and Bordalo et al. (2019). In each period, consumers observe $y_{i,t}$ and update their beliefs about $z_{i,t}$. Without diagnostic expectation, consumers' current forecasted value of $z_{i,t}$ is normally distributed with variance σ_z^2 and mean

$$\hat{z}_{i,t} = \rho \hat{z}_{i,t-1} + \kappa \left[y_{i,t} - \alpha - \rho \hat{z}_{i,t-1} \right], \tag{9}$$

where κ is the Kalman gain of the learning process. Given an infinite horizon, we follow the common assumption that a sufficient number of periods have passed such that consumers are in a learning steady state, that is, consumers' Kalman gain is constant each period. In this case,

$$\kappa = \frac{\rho^2 \sigma_z^2 + \sigma_\eta^2}{\rho^2 \sigma_z^2 + \sigma_\eta^2 + \sigma_\epsilon^2},$$

$$\sigma_z^2 = \frac{(1 - \kappa)\sigma_\eta^2}{1 - (1 - \kappa)\rho^2}.$$
(10)

Under diagnostic expectation, consumers overreact to surprises in income realizations. The posterior average of $z_{i,t}$ becomes

$$\hat{z}_{i,t}^{\theta} = \hat{z}_{i,t} + \theta \kappa \left[y_{i,t} - \alpha - \rho \hat{z}_{i,t-1} \right], \tag{11}$$

where $\hat{z}_{i,t}^{\theta}$ is the expectation of $z_{i,t}$ under diagnostic expectations, and θ is the degree of representativeness. When $\theta > 0$, consumers overweight representative states, their beliefs exaggerate the signal-to-noise ratio relative to the standard Kalman filter, inflating the persistent component of income upon receiving good news and deflating those while receiving bad news. Exaggeration of the signal-to-noise ratio is reminiscent of overconfidence, with overreaction to news increases in θ . At $\theta = 0$, the model reduces to rational learning.

B. Consumer Preferences

B.1 Preferences

Household preferences follow the literature on consumer credit and default (e.g. Chatterjee et al. (2007) and Livshits et al. (2007)). Consumers at time t maximize their expected lifetime utility with period-s utility flow of

$$E_{i,t}^{\theta} \left[\beta^{s-t} \frac{c_{i,s}^{1-\gamma} - 1}{1-\gamma} - \chi d_{i,s} \right],$$

where the superscript θ indicates that the expectation is taken according to diagnostic expectation with degree of representativeness θ . β is the per-period discount rate, γ is the coefficient of relative risk aversion, and $d_{i,t}=1$ if consumer i chooses to default at the end of period t. When default occurs, consumer i incurs a fixed non-pecuniary utility cost ("stigma") $\chi > 0$. In addition, consumers receive a pair of additively separable i.i.d. shocks, $\xi = \{\xi^D, \xi^N\}$, which are attached to the options to default or repay and are drawn from a type one extreme value distribution with scale parameter of one. These shocks aim to capture the fact that many defaults are associated not with income shocks, but with events such as marital disruptions and medical expenses which we do not model explicitly. With these shocks, the model generates a positive probability of default across the whole range of borrowing. In addition, as suggested in Dempsey and Ionescu (2023), the introduction of utility shocks associated with defaulting smoothes out individuals' repayment probability functions, which eases computation of the model.

The budget constraint in each period t is

$$a_{i,t+1} = \begin{cases} (1+r_{i,t})(a_{i,t} - c_{i,t}) + y_{i,t+1} & \text{if } d_{i,t} = 0\\ (1-\nu)y_{i,t+1} & \text{if } d_{i,t} = 1 \end{cases}$$

$$a_{i,t} \ge -l_{i,t}, \tag{12}$$

where $a_{i,t}$ is the total amount of available resources. $l_{i,t}$ is the credit limit, and $\nu \in [0, 1]$ is the marginal rate of garnishment. Equation (12) states that when consumers do not

default, their wealth in the next period is the sum of their income and gross saving. When consumers default, their saving becomes zero; at the same time, they need to pay for a garnishment cost equal to ν times their income in the next period.¹². The interest rate is different for saving and borrowing and takes the value

$$r_{i,t} = \begin{cases} r_b & \text{if } a_{i,t} < 0 \\ r_s & \text{if } a_{i,t} \ge 0. \end{cases}$$

B.2 Optimality Conditions

Consumers' problem is characterized by a set of four state variables $\Theta_{i,t} = (a_{i,t}, \hat{z}_{i,t}, z_{i,t}, \epsilon_{i,t})$. Given the overall state $\theta_{i,t}$, consumer i's value function at time t is

$$V(\Theta_{i,t}) = \max \{V_D(\Theta_{i,t}), V_N(\Theta_{i,t})\}. \tag{13}$$

The continuation value from defaulting is

$$V_D(\Theta_{i,t}) = \max_{c_{i,t}} \frac{c_{i,t}^{1-\gamma} - 1}{1-\gamma} - \chi + \beta \, \mathbb{E}_{i,t}^{\theta} [V((1-\nu) \times y_{i,t+1}, \hat{z}_{i,t+1}, z_{i,t+1}, \epsilon_{i,t+1})] + \xi_{i,t}^D. \quad (14)$$

The continuation value from not defaulting is

$$V_N(\Theta_{i,t}) = \max_{c_{i,t}} \frac{c_{i,t}^{1-\gamma} - 1}{1-\gamma} + \beta \, \mathbb{E}_{i,t}^{\theta} [V(a_{i,t+1}, \hat{z}_{i,t+1}, z_{i,t+1}, \epsilon_{i,t+1}) | I_{i,t}] + \xi_{i,t}^N. \tag{15}$$

Given that ξ follows a type one extreme value distribution, the probability of default is

$$pd(\Theta_{i,t}) = [1 + \exp\{V_N(\Theta_{i,t}) - V_D(\Theta_{i,t})\}]^{-1}.$$
 (16)

 $^{^{12}}$ Some previous studies also assume that defaults go hand in hand with a temporary inability of borrowing, i.e. $l_{i,t}=0$ (Chatterjee et al., 2007; Livshits et al., 2007; Dempsey and Ionescu, 2023) However, for simplicity, we assume that consumers' borrowing capacity does not change when defaulting. This assumption allows us to discard one additional state variable. In addition, Livshits et al. (2007) show that the costs of default from changing borrowing capacities is usually quantitatively not important.

C. Calibration

The estimation consists of two stages. In the first stage, we rely on the income information as retrieved by the bank to pin down parameters associated with the income process, including the degree of extrapolation θ , and the marginal rate of garnishment. In the second stage, we use the simulated method of moments (SMM) to get the estimates of consumers' coefficient of risk aversion γ and non-pecuniary costs of default χ .

First Stage: The first-stage estimation requires the use of income and the survey data. We first set the frequency of time t to six months to be consistent with the survey frequency. For the parameters governing the income process, α , ρ , σ_{ϵ}^2 , and σ_{η}^2 , we residualize all individual income by age quitile, year, education, industry, city, and gender fixed effects, and estimate (8) using maximum likelihood estimation. After residualization, α is set to be 0, and when solving the model, we measure consumption and saving with respective to the level of average income.

The estimation results are in Panel A of Table VIII. log income is highly serially correlated, with an AR(1) coefficient of 0.97. The average annualized interest rate on deposit in the data is around 2.8%. We therefore set $r_s = 1.4\%$. We use interest rates on credit card borrowing to determine r_b . The average daily interest rate on credit card debt is 5 basis points. After accounting for 45 days of interest-free period, a 2.5% of reward rate, and 1% of all types of debt-related fees, r_b is set at 5.5% per six months. We set a uniform credit limit to all consumers. We set $l_{i,t}$ to be 1.4, so that the average credit limit to average income in the model matches the average total credit limit over credit cards and other lines of credit across all banks of 73% of the annual income in the data. For the marginal garnishment rate ν , we directly calculate this number from the bank's database, which is around 50%, roughly corresponding to three months of average income. In the end, we set the discount rate $\beta = 0.95^{0.5}$, so that the annual rate is 0.95.

Second Stage: We use SMM to estimate γ and χ . The targeted moments are the

¹³The level of credit limit to income is larger than the 20%-35% range in many previous papers using SCF data in the US (Kaplan and Violante, 2014; Lee and Maxted, 2023). However, it is very close to the number in a recent report by Experian using administrative data. The report documents that the average credit card limit in 2019 for an average American was around \$31,400, which is around 60% of the average individual income of \$54,129 in 2019, and should be a lower bound of the ratio between total limits over all lines of credit and income. See here and here for the report.

average wealth-consumption ratio and average default rate. The logic is straightforward. The risk-aversion parameter γ captures the curvature of the utility function. Higher risk aversion increases consumer willingness to save, thereby increasing the wealth-to-consumption ratio. The stigma cost χ directly affects consumers' willingness to default. A higher χ indicates a higher cost of default, and therefore a lower default rate.¹⁴

Panels B and C of Table VIII show the estimated parameters and targeted moments. The estimation fits the empirical moments closely. The average wealth to half-year total consumption is 0.818. The default rate is around 2.36%, yielding a γ of around 2.51 and a χ of 24.45.

D. Results

We now discuss the results of the structural model.

D.1 Goodness of Fit

Panels B and C of Table VIII indicate the model does a good job in matching the targeted moments. In addition, the model is effective in matching many non-targeted moments, especially the distribution of liquid wealth. From Panel D of Table VIII, the average and median wealth to six-month income are 1.351 and 0.731 in the data, respectively. The equivalent numbers in the model are 1.243 and 0.777, respectively. Since liquidity is an important factor affecting the average MPC in the sample, it's necessary for the stationary distribution of saving to be close to that in the data. Panel D of Table VIII shows the model can match several moments about the empirical distribution of liquid savings. For example, in the data, about 31.38% of total liquid assets are held by consumers in the the top 5% asset percentile. In the model, this number is 29.85%. In addition, 29.89% of individual hold negative net liquid wealth in the data; in the model, the corresponding number is 32.34%. Therefore, the model is capable of matching both first and higher moments.

¹⁴A detailed description of the model solution and estimation is in the Online Appendix.

D.2 Over-Extrapolation of Income Shocks

We now use the model to study the effects of diagnostic expectations on consumer economic decisions. We first present the results of the relationship between objective income shocks and subjective forecast errors under diagnostic expectations with the calibrated level of θ , and that under rational expectations. Specifically, we simulate 100,000 periods of income data following (8), and then construct subjective and objective income expectations based on (11) and (10). We then regress subjective forecast errors at t + 1 on the objective income shock at t. When preforming the analysis, we drop the first 100 periods, which serve as the burning periods in the simulation.

The results are in columns (1) and (2) of Panel A in Table IX. For comparison, Panel B gives the empirical counterparts. Given that θ is calibrated using the same sample as in the empirical analysis, the relationship between objective income shocks and subjective forecast errors under diagnostic expectations matches the empirical analysis perfectly. That is, when $\theta = 1.641$, each dollar higher objective income shock leads to a forecast error of future income of 38.8 cents. The estimate in column (1) of Panel A directly sheds light on the effects of a positive θ on the extrapolative behavior. When θ is set to zero, the relationship between objective income shock and forecast errors become economically insignificant. Specifically, each dollar higher objective income shock leads to a negative forecast error of future income of 4 cents.¹⁵

D.3 Consumption, Borrowing, and Default Decisions

We continue to explore the relationship between subjective forecast errors and consumer economic decisions in the model. We use this exercise to explore whether the model can generate the patterns we see in the data. To perform the analysis, we simulate the model for 20,000 individuals with 1,000 periods, after a burn-in period of 100. We then drop simulated data with saving to average income ratio larger than 8, which is around the 99% percentile of the empirical counterparts. After obtaining the simulated sample, we run regressions of changes in total consumption at t, total debt at the beginning of period

 $^{^{15}}$ The low statistical significance is a results of high precision of simulated data with a large number of data points.

t+1, and default indicator at the end of t+1 on the forecast errors at t+1. Debt at the beginning of t+1 is defined as the negative of $a_{i,t}$, conditional on $a_{i,t}$ being negative. To be consistent with the analysis in Table V, we control for log income at t-1, expected changes in income at t, and individual fixed effects. We report the results in columns (2) to (4) of Table IX. For comparison, Panel B reports the empirical counterparts.

The relationship between forecast errors and economic decisions as implied by the model are quite close to those in the data. Specifically, each dollar higher forecast error at t+1 raises total consumption by around 22.5 cents in the data and 24.3 cents in the model. Meanwhile, each dollar higher forecast error at t+1 raises total debt by around 7.7 cents in the data and 7.4 cents in the model. For default, since the units are different, we standardize the forecast errors so that the coefficients measure the association of default probability with each standard deviation higher forecast errors. In the data, each standard deviation higher forecast errors increases default by 92.9 basis points, whereas the model implied quantity is 94.9 basis points. Hence, Table IX shows that the model is able to reproduce the patters we observe in the data.

D.4 Debt Cycles

In a Minsky-Kindleberger style of credit cycle, boom-bust pattern in household leverage starts with household over-optimism after positive shocks to fundamentals. That is, after receiving good news, households exaggerate the informativeness of the good news for future growth, inducing them to take on too much leverage. As a result, excess leverage starts to build up financial fragility. When the effects of positive shocks diminish, households receive a large negative surprise in their earnings, and the ability to repay the debt already accumulated gets lower. Consequently, at the end of expansion, both demand for more debt and financial fragility get accelerated.

We continue to study the model's ability to generate cycles in household borrowing after positive shocks to income. Following Maxted (2023), we use impulse response functions (IRF) to study consumer responses to a series of positive transitory income shocks after initially being at the stochastic steady state. Specifically, we first simulate 20,000 individuals for 1,000 periods at half-year frequency. This serves as our benchmark

case. To derive the IRFs, we use the same simulation, but introduce a 3-year sequence of positive income shocks that results in a three standard deviation cumulative shock over the three years from periods 895 to 900. The IRFs are then the (percentage) differences between the sample average between the two simulations. Then, we redo this exercise while setting θ to zero. Comparing the IRFs across the two calibrations yields the effects of diagnostic expectations on economic outcomes.

The results are in Figure 6. The top left panel plots the transitory income shocks. The top right panel plots the updates in expected log income, $o_{i,t} = \kappa(1+\theta)(y_{i,t} - \alpha - \hat{z}_{i,t-1})$. The bottom four panels are the percentage differences in average income expectations, consumption, borrowing, and default probability relative to the no shock simulation, respectively. The red solid lines present results when $\theta = 1.641$; the blue dashed lines present results when $\theta = 0$.

Figure 6 shows a strong amplification effects of diagnostic expectations on expectations of future income. Panel B and Panel C show, that initially after receiving the positive shock, the average diagnostic-expectation agent (D) increases income expectation by more than twice as much as a rational-learning agent (R). Given a much higher expected income in the next period, consumption also increases much more for D. As for debt, Panel A and Panel D show that, when D receives the first positive shock, realized income increases by around 20%, and consumption increases by around 14%. Because we only have one asset in the model, a MPC smaller than one indicates an initial reduction in debt, a finding that is consistent with Agarwal et al. (2007) and Coibion et al. (2020). Turning to Panel F, as compared with R, the initial positive income shock leads to a much lower default probability for D. This is because the higher expectations about income in the next period induces a higher perceived garnishment cost associated with default.

As D continues to receive positive income shocks, income expectations and consumption continue to reach to a level that is much higher for D as compared with R (Panel B, C, and D). At the same time, the trajectories for debt and default rate keep diverging between D and R. For R, as income and income expectation increase smoothly, R continues to de-lever. An increase in current-period assets and expectations about future income decrease the default probability. At the same time, for D, given

a much higher future income expectations and a smaller income surprises, D starts to accumulate more debt. From Panel F, a lower level of current-period assets tends to increase the motive for defaulting. Ultimately, the channel outweighs the marginal garnishment channel, and default rates start to increase.

In period 1, the series of positive shocks are removed and as a result income expectations become smaller. Panel B and Panel C show that this reduction is much larger for D as compared with R due to over-extrapolation. Consequently, consumption decreases much more for D. The larger negative surprise induces D to have a much higher need to smooth the negative shock and a much lower income expectation in the future, thus creating a shoot-up in debt. Compared with R, a lower current-period asset holding and lower expected future earnings increase D's default rate substantially. As time elapses, income expectations converge. Both debt and default probabilities start to decrease to the rational-learning level.

The findings in Figure 6 are consistent with many recent empirical findings. For example, López-Salido et al. (2017) show that elevated credit-market sentiment is associated with higher credit growth in subsequent years. As Panel E shows, as initial income shocks create more optimistic belief, the debt growth rate becomes positive for D, whereas it remains negative for R. In addition, the elevated default rate after the expansion (Panel F) is consistent with the findings in Greenwood et al. (2019) and Maxted (2023), who show that financial fragility arises at the end of economic expansions.

D.5 Simulating the 2007-2008 Financial Crisis

As our last exercise, we study the ability of our model to generate the cycles of the unsecured borrowing and the default risk around 2007-2008 financial crisis. Since we are using parameter values estiated using Chinese data, we mainly focus on the dynamics instead of the levels.

The results are shown in Figure 7. In each plot, the red solid lines present the results when $\theta = 1.641$; the blue dashed lines present the results when $\theta = 0$. The top panel presents the average debt to average income ratio (left axis) from the model, and the detrended credit-card debt to GDP ratio in the US. In both panels (black dotted line,

right axis). In the bottom panel, the black dotted line is the delinquency rate on credit cards in the US. The plots are based on a series of transitory shocks to 20,000 individuals initially at the stochastic steady states. The shocks are picked such that the the average debt to average income ratio from the model assimilates detrended credit-card debt to GDP ratio in the US.

From the top panel, incorporating diagnostic expectation over surprises in income, the model is successful in re-producing the boom-bust cycles in the average unsecured-debt to average income ratio. The pattern matches very closely with the average credit-card debt to GDP ratio in the US. After removing over-extrapolation, the cyclical behavior gets much weaker, with the peak in 2009 never surpassing the equilibrium-level in 2004.

From the bottom panel, while the shocks are reverse engineered to match the dynamics in debt, these shocks can also generate the cyclical patterns in default rate. That is, at the end of the expansion, default rate shoots up in 2009, and then slowly declines. However, removing the extrapolative behaviors, default rate stays nearly constant from 2004 to 2012. Overall, Figure 7 indicates the effectiveness of our model to reproduce a boom-bust debt cycle like the one around 2007 and 2008.

IX Conclusions

When agents' belief-formation process about their income follows diagnostic-expectation, they have upward biased income expectations after unexpected positive income shocks and hence spend more (and borrow more to finance higher current spending) than what a neoclassical life-cycle consumption optimizer would do. Moreover, if income volatility is time-varying, the effect is stronger for negative shocks than for same-size positive shocks. These predictions align well with aggregate features of household debt cycles documented in the literature.

Combining survey-based elicitation of income expectations with transaction-level bank-account data, we bring these predictions to the field in a unique setting in which we observe, for the same consumers and at the same time, income and debt-capacity expectations as well as actual past, current, and future spending and borrowing choices. We find evidence consistent with these predictions.

Our results suggest that extrapolative expectations could act as a microfoundation for aggregate household debt cycles, because the micro-level evidence pairs with aggregate evidence on household debt cycles: in good times, a larger fraction of consumers is likely to face unexpected positive income shocks, whereas in bad times a larger fraction of consumers is likely to face unexpected negative income shocks, relative to normal times. We propose a framework based on diagnostic expectations but do not argue that this specific formulation is the *only* form of extrapolative expectations that could rationalize our results. We use diagnostic expectations as a beliefs-formation structure that economic research has found portable theoretically and empirically to other features of micro- and macroeconomic outcomes, rather than assessing ad-hoc explanations for the facts we want to interpret. We encourage future research on non-standard belief-formation mechanisms that could at the same time explain household debt cycles as well as other economic choices by consumers in the laboratory and in the field.

Our research also beget follow-up work on the aggregate effects of household debt cycles both theoretically and empirically. Theoretically, it sheds light on the general-equilibrium macroeconomic models featuring diagnostic expectations to explain the mechanisms behind aggregate economic dynamics. On the empirical side, this study suggests the importance of structural and calibration analysis to characterize the functional forms and parameter sizes that would make extrapolative expectations best fit the wealth of micro and macro data. In addition, our structural analysis considers the prediction of agents with the same degree of extrapolative behavior, which pairs with the empirical analysis based on average expectations and choices in the The extent to which consumers' expectations-formation process deviates from the full-information rational-expectations paradigm might vary in the cross section of consumers, potentially based on dimensions that would shape the cross-sectional variation in the accuracy of macroeconomic expectations. ¹⁶ An interesting future avenue therefore would be studying more advanced heterogeneous macroeconomic models in the direction of heterogeneous belief-formation processes to explain why different consumers form

¹⁶Examples include cognition (D'Acunto et al., 2019, 2021a)), socioeconomic status (Kuhnen and Miu, 2017; Das et al., 2020), and local experiences (Kuchler and Zafar, 2019).

expectations differently, and to explore the quantitative importance of the heterogeneity in the belief-formation processes.

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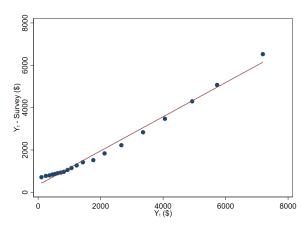
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A. Figures

Figure 1. Beliefs in Future Income

Panel A is a binned scatter plot of consumer ex ante income expectation and ex post income realization. Panel B plots the histograms of misbeliefs in future income. $E_C[Y_{t+1}]$ is the expected level of income (\$) in period t+1 based on survey question 8. Y_{t+1} is consumer realized income (\$) in period t+1. All variables are winsorized at 1% level by each wave.

Panel A: Expectations vs Realizations



Panel B: Misbeliefs in Future Income

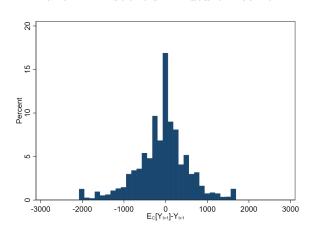


Figure 2. Subjective vs Objective Income Shocks

This figure presents the binned-scatter plots of subjective income shocks (those measured from the surverys) vs the objective income innovations (those measured based on (4)). Panel A gives the raw measures. In Panel B, variables are residualized by income changes in period t, age age-squared, degree, expected log standard deviation of expected income growth in period t + 1, number of hours worked every week, log income in period t, industry fixed effects, and city \times year fixed effects. All variables are winsorized at 1% level by each wave.

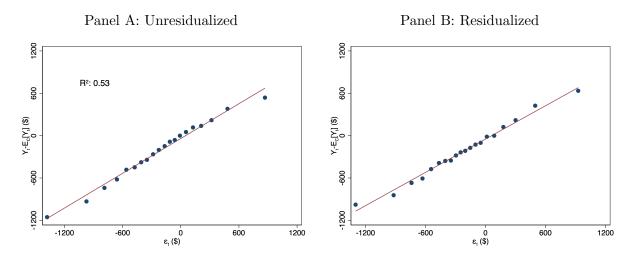


Figure 3. Income Shocks and Misbeliefs in Future Income

This figure presents the binned-scatter plots of misbeliefs in future income vs past income shocks. $E_C[Y_t]$ is the subjective income expectation (\$) in period t based on survey question 8 sent in period t-1. Y_t is consumer realized income (\$) in period t. $\epsilon_{i,t}$ is income innovations measured from (4). In panels B and D, variables are residualized by income changes in period t, age age-squared, degree, expected log standard deviation of expected income growth in period t+1, number of hours worked every week, log income in period t, industry fixed effects, and city \times year fixed effects. All variables are winsorized at 1% level by each wave.

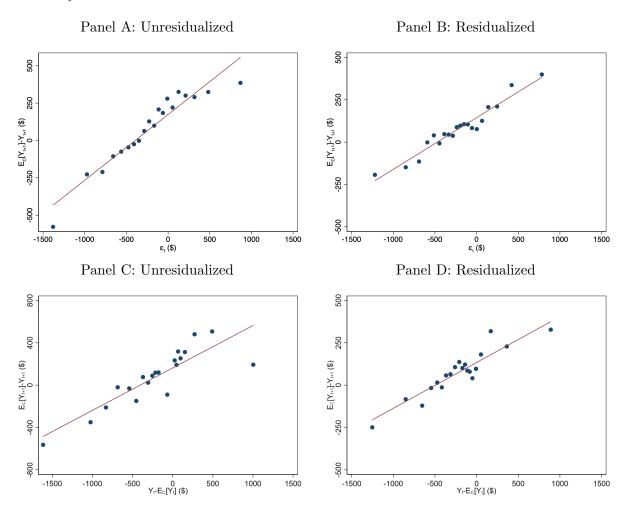


Figure 4. Beliefs in Future Income

This figure reports the effects of expectation errors on cumulative spending and debt. Panel A gives the results for total non-durable spending, and panel B gives those for unsecured debt. The red solid lines depict positive expectation errors, and the blue dashed lines gives the results for negative expectation errors. Estimation is based on (7).

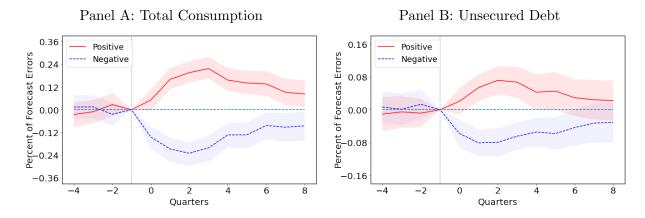


Figure 5. Equilibrium Distribution of Saving

This figure is a histogram of the equilibrium distribution of consumer saving to average income ratio. Saving is equal to total resource available $a_{i,t}$ at the beginning of the period minus the total consumption $c_{i,t}$. The plot is based on simulated steady-state distribution based on a simulation of 5,000 individuals with 500 periods, after a burning period of 1,000 periods for the distribution to reach the steady state. The distribution is right trimmed at saving to average income ratio larger than 20.

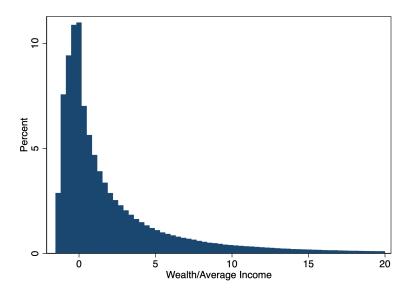


Figure 6. Impulse Responses after Transitory Income Shocks

This figure gives the IRFs after a series of transitory income shocks at the half-year frequency. The simulation is based on 20,000 individuals initially at the stochastic steady states. Starting at the stochastic steady states, each individual receives a 3-year sequence of positive shocks that result in a 3 standard deviation cumulative shock over three years. The top left panel gives the introduced transitory income shocks. The top right panel gives the updates in expected log income, where $o_{i,t} = \kappa(1+\theta)(y_{i,t}-\alpha-\hat{z}_{i,t-1})$. The bottom four panels are respectively the percentage difference in income expectations, consumption, borrowing, and default probability relative to when shocks are not introduced. The red solid lines present the results when $\theta = 1.641$; the blue dashed lines present the results when $\theta = 0$.

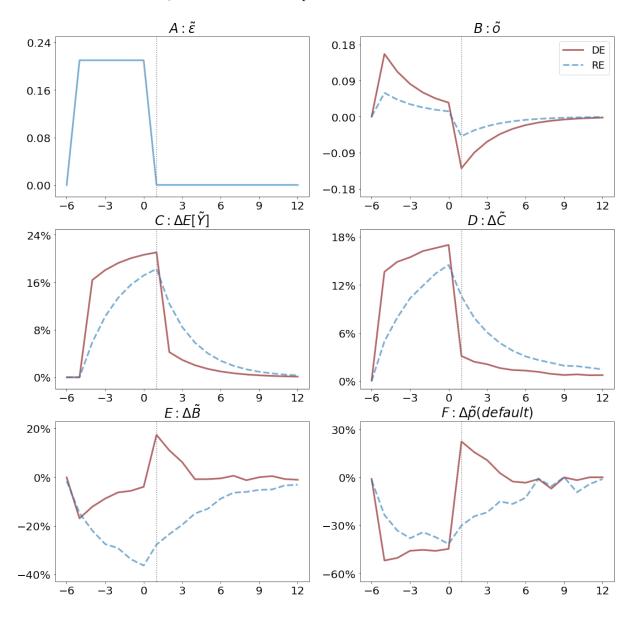
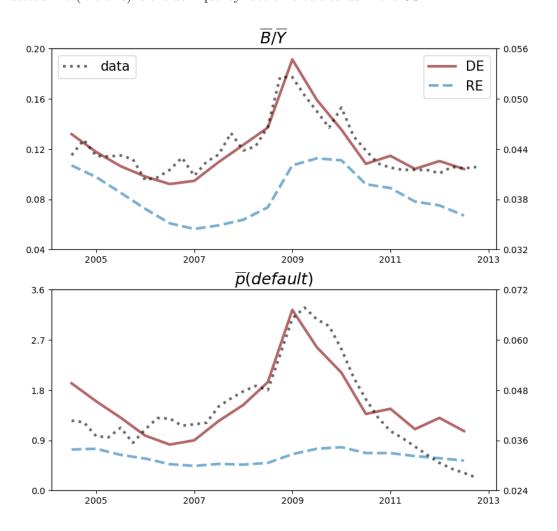


Figure 7. Simulating the 2007-2008 Financial Crisis

This figure simulates the financial crisis given a series of transitory income shocks at the half-year frequency. The simulation is based on 20,000 individuals initially at the stochastic steady states. Starting at the stochastic steady states, each individual receives a series of transitory shocks such that the average debt to average income ratio (red solid line in top panel) assimilates the detrended credit-card debt to GDP ratio (black dotted line in top panel) in the US. In both panels, the red solid lines present the results when $\theta = 1.641$; the blue dashed lines present the results when $\theta = 0$. In the bottom panel, the black dotted line (left axis) is the delinquency rate on credit cards in the US.



B. Tables

TABLE I. Summary Statistics

Spending is the average monthly spending from the consumers' bank account plus that from the credit card account. Income is the average monthly income. Saving is the average saving. Limit the credit card limit retrieved from the credit registry. Debt is the average interest-incurring credit card debt. Debt|Debt>0 is the average interest-incurring credit card debt for those that have positive debt. Income - E[Income] is the income shocks from fitting (4). $E_C[Income]$, $E_C[min. Income]$, $E_C[max. Income]$, $E_C[min. Limit]$, and $E_C[max. Limit]$ are respectively based on the answers from survey Q8, Q6, Q7, Q5, Q3, and Q4. All level variables are in dollars and are winsorized at 1% level by each wave.

	(1) Mean	(2) SD	(3) p25	(4) Median	(5) p75	(6) N
Age	38.32	10.24	29	38	46	9,636
Female	0.51	0.50	0	1	1	9,636
Spending	1369.13	1971.73	258.74	506.09	1449.68	9,636
Income	1838.92	1987.09	609.75	1158.65	2960.77	9,636
Saving	18504.28	31176.05	1647.19	4425.99	19965.42	9,636
Limit	12029.73	13147.11	2307.69	5414.54	21021.64	9,636
Debt	1081.73	1899.69	0.00	0.00	1553.91	9,636
Debt Debt>0	2582.61	2233.41	965.83	1969.91	3555.08	4,485
$E_{C}[Income]$	1944.00	1884.74	747.97	1354.79	3076.92	9,636
$E_{\rm C}[{\rm min.~Income}]$	1543.25	1659.50	350.00	923.08	2153.85	9,636
$E_{\rm C}[{\rm max.~Income}]$	3374.65	3179.45	1133.85	2054.42	4615.39	9,636
Income - E[Income]	-105.08	693.43	-461.54	-129.37	199.15	9,636
$E_{C}[Limit]$	14219.58	13362.47	4230.77	8461.54	21538.46	9,636
$E_{\rm C}[{\rm min.~Limit}]$	9884.00	11014.66	2307.69	5452.22	14444.99	9,636
$E_{\rm C}[{\rm max.~Limit}]$	16779.24	15849.98	4921.88	10366.29	24984.68	9,636
Limit - E[Limit]	-2189.85	5367.88	-2351.56	-546.88	1305.29	9,636

TABLE II. Income Shocks and Excessive Income Expectations

 $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income between period t-1 and period t. $E[Y_t]$ is the expected income at time t estimated from (4). $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. $\log Y_t$ and $\log L_t$ are respectively log monthly income and \log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$
$Y_t - E[Y_t]$	0.424***	0.373***	0.379***	0.389***
	(0.029)	(0.049)	(0.048)	(0.053)
$E_C[\Delta Y_t]$		0.040	0.081**	0.042
. ,		(0.037)	(0.039)	(0.037)
Age		0.020**	0.019*	0.010
		(0.010)	(0.010)	(0.012)
Age^2		-0.000	-0.000	-0.000
		(0.000)	(0.000)	(0.000)
Female		-0.082**	-0.076**	
		(0.038)	(0.037)	
College		0.058***	0.061***	
		(0.016)	(0.016)	
$\log Hours$		0.093**	0.084**	0.082**
		(0.040)	(0.038)	(0.041)
$SD(E_C[\Delta \log Y_{t+1}])$		-0.055***	-0.048***	-0.047***
		(0.015)	(0.015)	(0.014)
$\log Y_{t-1}$		-0.274***	-0.240***	-0.242***
		(0.020)	(0.019)	(0.018)
$\log L_{t-1}$		0.004	0.007	0.004
		(0.006)	(0.006)	(0.006)
N	9,636	9,636	9,636	9,636
Industry FE	No	No	Yes	No
$City \times Round FE$	No	No	Yes	Yes
Individual FE	No	No	No	Yes
R^2	9.67%	22.88%	29.67%	51.69%

Standard Errors Clustered at City×Year Level in Parentheses * p<0.10 ** p<0.05 *** p<0.01

TABLE III. Income Shocks and Excessive Income Expectations—Heterogeneity Analysis

 $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income between period t-1 and period t. $E[Y_t]$ is the expected income at time t estimated from (4). Y_H is a dummy variable that's equal to one if the consumers' incomes in period t are in the upper half of the distribution. SD is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. SD_H , Age_H , and $Degree_H$ are respectively equal to one if the consumers are in the upper half distribution based on their SD, Age, or Degree. Control variables include expected changes in income from period t-1 to t, age, age-squared, expected income growth volatility, hours working, log income in period t, and log credit limit in period t. All variables are winsorized at 1% level by each wave.

	$(1) \\ E_C[Y_{t+1}] - Y_{t+1}$	$(2) \\ E_C[Y_{t+1}] - Y_{t+1}$	$(3) \\ E_C[Y_{t+1}] - Y_{t+1}$	$(4) \\ E_C[Y_{t+1}] - Y_{t+1}$
$Y_t - E[Y_t]$	0.394***	0.251***	0.425***	0.436***
	(0.051)	(0.040)	(0.051)	(0.049)
$Y_H \times (Y_t - E[Y_t])$	-0.101*** (0.048)			
$SD_H \times (Y_t - E[Y_t])$,	0.281***		
		(0.053)		
$Age_H \times (Y_t - E[Y_t])$			-0.064*	
- ((0.036)	
$Degree_H \times (Y_t - E[Y_t])$				-0.076*
				(0.041)
N	9,636	9,636	9,636	9,636
Controls	Yes	Yes	Yes	Yes
$City \times Round FE$	Yes	Yes	Yes	Yes
Individual FE	Yes	Yes	Yes	Yes
R^2	30.22%	34.64%	33.83%	33.95%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

TABLE IV. Income Shocks and Excessive Income Expectations by Rounds

 $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income between period t-1 and period t. $E[Y_t]$ is the expected income at time t estimated from (4). $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. $\log Y_t$ and $\log L_t$ are respectively log monthly income and \log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	Round 1	Round 1	$Round\ 2$	Round 2
	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$
$Y_t - E[Y_t]$	0.504***	0.469***	0.333***	0.321***
	(0.163)	(0.159)	(0.125)	(0.096)
$E_C[\Delta Y_t]$	0.041	0.020	0.089	0.030
	(0.079)	(0.053)	(0.058)	(0.068)
Age	-0.003	-0.002	0.003	0.003
	(0.011)	(0.010)	(0.020)	(0.030)
Age^2	0.000	0.000	-0.000	-0.000
	(0.000)	(0.000)	(0.000)	(0.000)
Female	-0.064***	-0.061***	-0.077***	-0.072***
	(0.023)	(0.024)	(0.031)	(0.033)
College	0.069***	0.060***	0.041	0.057*
	(0.019)	(0.022)	(0.035)	(0.032)
$\log Hours$	0.109***	0.084*	0.129	0.128
	(0.049)	(0.045)	(0.094)	(0.099)
$SD(E_C[\Delta \log Y_{t+1}])$	-0.073***	-0.060***	-0.079*	-0.082***
	(0.018)	(0.014)	(0.040)	(0.033)
$\log Y_{t-1}$	-0.276***	-0.263***	-0.248***	-0.292***
	(0.019)	(0.013)	(0.032)	(0.057)
$\log L_{t-1}$	0.029***	0.018***	0.019	0.015
	(0.010)	(0.005)	(0.017)	(0.017)
N	5,082	5,082	4,554	4,554
Industry FE	No	Yes	No	Yes
$City \times Round FE$	No	Yes	No	Yes
R^2	17.17%	45.67%	21.24%	48.86%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 *** p < 0.05 **** p < 0.01

TABLE V. Excessive Income Expectations and Choices: Consumption, Debt, and Defaults

 ΔC_t is the differences (\$ thousands) in the monthly average consumption between t and t-1. ΔB_t is the differences (\$ thousands) in the average interest-incurring debt between t and t-1. $Default_{t+1}$ is a dummy variable that is equal to t+1 for 90-day delinquency in t_{t+1} . $E[Y_{t+1}]$ is the expected level of income (\$ thousand) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income from period t-1 to period t. $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period 1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period 0. $\log Y_t$ and $\log L_t$ are respectively log monthly income and \log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	$\begin{array}{c} (1) \\ \Delta C_t \end{array}$	ΔC_t	$\begin{array}{c} (3) \\ \Delta B_{t+1} \end{array}$	$\begin{array}{c} (4) \\ \Delta B_{t+1} \end{array}$	$Default_{t+1}$	$ \begin{array}{c} (6) \\ Default_{t+1} \end{array} $
$E_C[Y_{t+1}] - Y_{t+1}$	0.267***	0.221***	0.062***	0.078***	1.132***	1.187***
	(0.037)	(0.043)	(0.015)	(0.018)	(0.301)	(0.328)
$E_C[\Delta Y_t]$		0.134***		0.056***		-0.930*
		(0.025)		(0.018)		(0.526)
Age		0.020**		0.001		-0.215**
		(0.008)		(0.003)		(0.089)
Age^2		-0.000**		-0.000		0.001
		(0.000)		(0.000)		(0.001)
$\log Hours$		-0.003		-0.032		-3.798***
		(0.033)		(0.020)		(0.744)
$SD(E_C[\Delta \log Y_{t+1}])$		0.015		-0.011**		0.347***
		(0.010)		(0.005)		(0.106)
$\log Y_{t-1}$		0.050***		0.002		-0.287
		(0.009)		(0.008)		(0.195)
$\log L_{t-1}$		-0.028***		0.003		0.434***
		(0.005)		(0.005)		(0.130)
N	9,636	9,636	9,636	9,636	9,636	9,636
Industry FE	No	Yes	No	Yes	No	Yes
$City \times Round FE$	No	Yes	No	Yes	No	Yes
Individual FE	No	Yes	No	Yes	No	Yes
R^2	3.88%	28.93%	2.76%	38.44%	0.96%	5.69%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 *** p < 0.05 *** p < 0.01

TABLE VI. Income Shocks and Subjective Income Uncertainty

 $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income between period t-1 and period t. $E[Y_t]$ is the expected income at time t estimated from (4). $abs(Y_t-E[Y_t])$ is the absolute value of income surprises at period t. $1_{\{Y_t-E[Y_t]<0\}}$ is an indicator function that's equal to one if the income surprises at period t are negative. $SD(E[\Delta \log Y_{t+1}])$ is the log standard deviation of the income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. $\log Y_t$ and $\log L_t$ are respectively log monthly income and log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	$\Delta SD(E[\Delta \log Y_{t+1}])$			
$abs(Y_t - E[Y_t])$	0.219***	0.195***	0.129***	0.099**
	(0.029)	(0.033)	(0.035)	(0.047)
$abs(Y_t - E[Y_t]) \times 1_{\{Y_t - E[Y_t] < 0\}}$			0.094**	0.163**
			(0.038)	(0.065)
$1_{\{Y_t - E[Y_t] < 0\}}$			0.030	0.031
			(0.020)	(0.020)
$E_C[\Delta Y_t]$		0.036**		-0.040*
		(0.017)		(0.023)
Age		0.016**		0.018**
_		(0.007)		(0.008)
Age^2		-0.000***		-0.000***
		(0.000)		(0.000)
$\log Hours$		0.002**		0.002*
		(0.001)		(0.001)
$\log Y_{t-1}$		0.008		0.009
		(0.009)		(0.009)
$\log L_{t-1}$		0.045***		0.049***
		(0.007)		(0.006)
N	9,636	9,636	9,636	9,636
Industry FE	No	Yes	No	Yes
$City \times Round FE$	No	Yes	No	Yes
Individual FE	No	Yes	No	Yes
R^2	2.11%	41.95%	2.74%	48.27%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

TABLE VII. Asymmetric Effects of Excessive Income Expectations

 ΔC_t is the differences (\$ thousands) in the monthly average consumption between t and t-1. ΔB_t is the differences (\$ thousands) in the average interest-incurring debt between t and t-1. $E[\Delta Y_t]$ is the expected changes (\$ thousands) in income from period t-1 to t. $E[Y_t]$ is the expected income at time t estimated from (4). $1_{\{Y_t-E[Y_t]<0\}}$ is an indicator function that's equal to one if the income surprises at time 0 are negative. $SD(E[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. $\log Y_t$ and $\log L_t$ are respectively log monthly income and log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	ΔC_t	ΔC_t	ΔB_{t+1}	ΔB_{t+1}
$Y_t - E[Y_t]$	0.237***	0.183***	0.117***	0.064**
	(0.028)	(0.055)	(0.019)	(0.031)
$1_{\{Y_t - E[Y_t] < 0\}}$, ,	-0.027	. ,	-0.013
		(0.020)		(0.017)
$(Y_t - E[Y_t]) \times 1_{\{Y_t - E[Y_t]\}}$	<0}	0.113*		0.062*
		(0.066)		(0.038)
$E_C[\Delta Y_t]$	0.131***	0.140***	0.059***	0.057***
	(0.028)	(0.026)	(0.017)	(0.017)
Age	0.025***	0.021***	0.002	0.002
	(0.008)	(0.008)	(0.004)	(0.004)
Age^2	-0.000**	-0.000**	-0.000	-0.000
	(0.000)	(0.000)	(0.000)	(0.000)
Degree	0.010*	0.010**	-0.001	-0.001
	(0.004)	(0.005)	(0.004)	(0.004)
$SD(E_C[\Delta \log Y_{t+1}])$	0.008	0.009	-0.015***	-0.013**
	(0.010)	(0.010)	(0.005)	(0.006)
$\log Hours$	0.005	0.005	0.004	0.004
	(0.003)	(0.003)	(0.003)	(0.004)
$\log Y_{t-1}$	0.016	0.015*	-0.018**	-0.014*
	(0.009)	(0.009)	(0.008)	(0.008)
$\log L_{t-1}$	-0.025***	-0.026***	0.003	0.003
	(0.006)	(0.006)	(0.005)	(0.005)
N	11,464	11,464	11,464	11,464
Industry FE	Yes	Yes	Yes	Yes
$City \times Round FE$	Yes	Yes	Yes	Yes
Individual FE	Yes	Yes	Yes	Yes
R^2	27.31%	27.67%	32.57%	33.72%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 *** p < 0.05 *** p < 0.01

TABLE VIII. Estimation

This table gives the estimated parameters of the structural model. Panel A presents the parameters estimated in the first stage, which involves direct calculation from the bank database and MLE estimation of the parameters associated with the income process. Panel B gives the parameters estimated based on SMM. Panel C gives the matched moments. Panel D gives the moments not directly targeted. w/c is the average wealth-consumption ratio. p(default) is the proportion of defaults. w/y is the average wealth-income ratio. median(w/y) is the median of the wealth-income ratio. low liq share is the fraction of consumers with saving less than three months of income. top 5% liq share is the fraction of saving held by the top 5% individuals in the model. Estimates of moments in the model is based on a simulation of 5,000 individuals with 500 periods, after a burning period of 1,000 periods for the distribution to reach the steady state. Estimates of moments in the data is based on a random 5% of active customers in the bank's database. Model moments are trimmed at saving to average income ratio larger than 10.

First-	Panel A Stage Parameters	Panel B Second-Stage Prameters		Panel C Targeted Moments		Panel D Not Targeted Moments		nts		
	Estimates (1)		Estimates (2)	S.E. (3)		Data (4)	Model (5)		Data (6)	Model (7)
α	0	γ	2.511	(0.267)	w/c	0.818	0.818	w/y	1.351	1.243
ρ	0.970	χ	24.453	(1.201)	p(default)	2.36%	2.36%	median(w/y)	0.731	0.777
σ_{ν}	0.150							top 5% liq share	31.38%	29.85%
σ_{ϵ}	0.420							debtor $\%$	29.89%	32.34%
β	0.975									
ν	0.500									
r_b	0.055									
r_s	0.014									
θ	1.641									

TABLE IX. Linking Income Shocks, Forecast Errors, and Consumption-Debt Decisions in the Model

In Panel A, $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1 based on survey question 8 sent in period t. In Panel B, $E_C[Y_{t+1}]$ is the expected level of income at time t under diagnostic expectation with $\theta=1.641$. In Panel A, $E[Y_{t+1}]$ is the expected income at time t estimated by (4). In Panel B, $E[Y_{t+1}]$ is the expected income when $\theta=0$. ΔC_t is the changed in total consumption, ΔB_t is the changes in total liquid debt. Default is a dummy variable that is equal to 100 if consumer i has a 90-day delinquency, and zero otherwise. All variables in Panel A are winsorized at 1% level by each wave. For columns (1) in panels A and B, data are based on 100,000 periods of simulation with a burning periods of 100. For columns (2) to (4) in Panel B, analysis is based on a simulation of 20,000 individuals with 1,000 periods, after a burning period of 100 periods. Data is right trimmed at saving to average income ratio larger than 8.13, which is the maximum number in the data.

	$(1) E_C[Y_{t+1}] - Y_{t+1}$	$(2) \\ E_C[Y_{t+1}] - Y_{t+1}$	(3) ΔC_t	$\begin{array}{c} (4) \\ \Delta B_{t+1} \end{array}$	$ \begin{array}{c} (5) \\ Default_{t+1} \end{array} $
			A: Simulation	—— t+1	
	$\theta = 0$		$\theta = 1.6$	341	
$Y_t - E[Y_t]$	-0.040*** (0.004)	0.388*** (0.004)			
$E_C[Y_{t+1}] - Y_{t+1}$,	,	0.243*** (0.000)	0.074*** (0.000)	0.949*** (0.003)
N	99,998	99,998	7,900,875	7,900,875	7,900,875
		Pan	el B: Data		
$Y_t - E[Y_t]$		0.388*** (0.051)			
$E_C[Y_{t+1}] - Y_{t+1}$			0.225*** (0.045)	0.077*** (0.028)	0.929*** (0.236)
N		11,464	11,464	11,464	11,464

Standard Errors in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

Online Appendix:

Microfounding Household Debt Cycles with Extrapolative Expectations

Francesco D'Acunto, Michael Weber, Xiao Yin

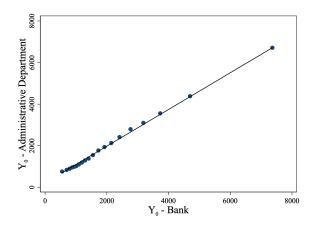
Not for Publication

Figure A.1. Comparing Computed Individual-level Income and Registry-based Income

Panel A in this figure is a binned scatter plot that compares the income values computed by the bank based on the transaction-level data the bank accesses and following the steps described in section B. of the paper and the registry income values reported by the same consumers in our sample to the Chinese tax authority, which can be accessed through one-to-one matching of individual tax identifiers. Panel B compares consumer answers from survey question 1 and the income from the bank at the same period. R^2 of regressing the two measures in Panel B is 72.56%.

Panel A: Comparisions of Income Measures

Panel B: Survey Answers and Bank Measures



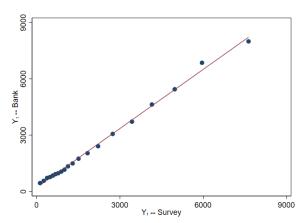


Figure A.2. Impulse Responses after Transitory Income Shocks

This figure gives the IRFs after a series of persistent income shocks at the half-year frequency. The simulation is based on 20,000 individuals initially at the stochastic steady states. Starting at the stochastic steady states, each individual receives a 3-year sequence of positive shocks that result in a 3 standard deviation cumulative shock over three years. The top left panel gives the introduced transitory income shocks. The top right panel gives the updates in expected log income, where $o_{i,t} = \kappa(1+\theta)(y_{i,t}-\alpha-\hat{z}_{i,t-1})$. The bottom four panels are respectively the percentage difference in income expectations, consumption, borrowing, and default probability relative to when shocks are not introduced. The red solid lines present the results when $\theta = 1.641$; the blue dashed lines present the results when $\theta = 0$.

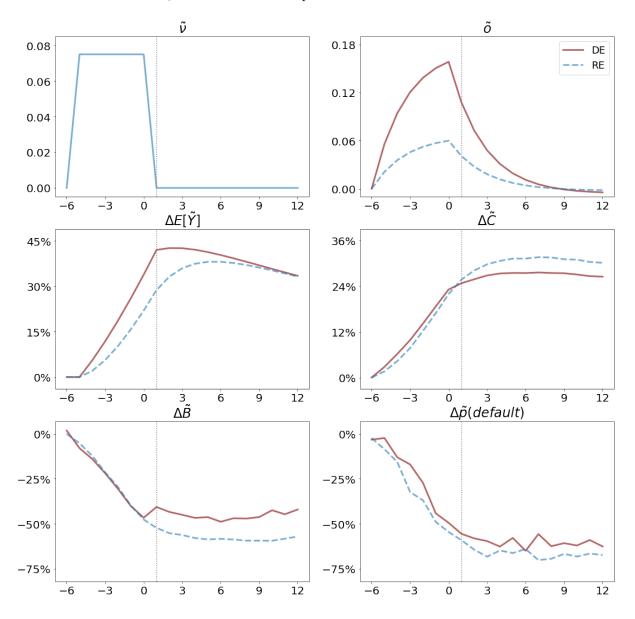


TABLE A.1. Income Shocks and Misbeliefs – Subjective Income Shocks

 $E_C[Y_{t+1}]$ is the expected level of income (\$ thousands) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income between period t-1 and period t. $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. log Y_t and log L_t are respectively log monthly income and log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$	$E_C[Y_{t+1}] - Y_{t+1}$
$Y_t - E_C[Y_t]$	0.349***	0.346***	0.353***	0.348***
	(0.046)	(0.053)	(0.060)	(0.058)
$E_C[\Delta Y_t]$		0.036	0.057	0.048
. ,		(0.039)	(0.036)	(0.038)
Age		0.018**	0.015*	0.012
		(0.008)	(0.008)	(0.011)
Age^2		-0.000	-0.000	-0.000
		(0.000)	(0.000)	(0.000)
Female		-0.079**	-0.073**	
		(0.037)	(0.035)	
College		0.054***	0.060***	
		(0.015)	(0.017)	
$\log Hours$		0.090**	0.081**	0.091**
		(0.036)	(0.036)	(0.041)
$SD(E_C[\Delta \log Y_{t+1}])$		-0.054***	-0.046***	-0.049***
		(0.016)	(0.017)	(0.019)
$\log Y_{t-1}$		-0.212***	-0.208***	-0.223***
		(0.020)	(0.021)	(0.021)
$\log L_{t-1}$		0.006	0.008	0.005
		(0.006)	(0.006)	(0.006)
N	9,636	9,636	9,636	9,636
Industry FE	No	No	Yes	No
$City \times Round FE$	No	No	Yes	Yes
Individual FE	No	No	No	Yes
R^2	7.10%	18.39%	21.78%	33.26%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

TABLE A.2. Income Shocks and Misbeliefs – log Scale

 $E_C[y_t]$ is the log of expected level of income (\$ thousands) in period 1 based on survey question 8 sent in period 0. Δy_t is the changes in log income between period t-1 and period t. $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period t. $\log Y_t$ and $\log L_0$ are respectively log monthly income and log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	$E_C[y_{t+1}] - y_{t+1}$	$E_C[y_{t+1}] - y_{t+1}$	$E_C[y_{t+1}] - y_{t+1}$	$E_C[y_{t+1}] - y_{t+1}$
$y_t - E[y_t]$	0.252***	0.248***	0.221***	0.207***
	(0.031)	(0.045)	(0.043)	(0.038)
$E_C[\Delta y_t]$,	-0.144***	-0.131***	-0.097***
		(0.015)	(0.016)	(0.018)
Age		0.003	0.004	0.003
_		(0.008)	(0.008)	(0.006)
Age^2		-0.000	-0.000	-0.000
		(0.000)	(0.000)	(0.000)
Female		-0.029***	-0.031***	,
		(0.008)	(0.008)	
College		0.050***	0.049***	
, and the second		(0.011)	(0.011)	
$\log Hours$		0.025	0.025	0.027
O .		(0.025)	(0.023)	(0.022)
$SD(E_C[\Delta \log Y_{t+1}])$		0.024**	0.031**	0.021*
(01 0 1/11)		(0.010)	(0.014)	(0.011)
$\log Y_{t-1}$		-0.242***	-0.215***	-0.194***
0 1		(0.012)	(0.017)	(0.018)
$\log L_{t-1}$		0.011***	0.012***	0.008**
0 1		(0.004)	(0.004)	(0.003)
N	9,276	9,276	9,276	9,276
Industry FE	No	No	Yes	No
City × Round FE	No	No	Yes	Yes
Individual FE	No	No	No	Yes
R^2	5.51%	19.86%	26.11%	35.19%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 *** p < 0.05 **** p < 0.01

TABLE A.3. Misbeliefs and Economic Behaviors – log Scale

 Δc_t is the log differences in the monthly average total consumption between t-1 and t. Default is an indicator for 90-day delinquency in t+1. $E_C[y_{t+1}]$ is the log of expected level of income (\$ thousand) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta y_t]$ is the expected changes in log income between period t-1 and period t. $SD(E[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period t+1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period 0. $\log L_t$ is the log of credit card limit in period t. All variables are winsorized at 1% level by each wave.

	(1)	(2)	(3)	(4)
	Δc_t	Δc_t	Default	Default
$E_C[y_{t+1}] - y_{t+1}$	0.182***	0.245***	1.658***	1.235***
	(0.022)	(0.025)	(0.307)	(0.320)
$E_C[\Delta Y_t]$		0.084***		-1.384***
		(0.013)		(0.335)
Age		-0.003		-0.161
		(0.007)		(0.126)
Age^2		0.000		0.001
		(0.000)		(0.001)
$SD(E_C[\Delta \log Y_{t+1}])$		-0.034***		0.328***
-		(0.013)		(0.118)
$\log Y_{t-1}$		-0.002*		-0.061***
		(0.001)		(0.019)
$\log L_{t-1}$		-0.001		0.596***
		(0.011)		(0.117)
N	9,276	9,276	9,276	9,276
$City \times Round FE$	No	Yes	No	Yes
Individual FE	No	Yes	No	Yes
R^2	2.97%	7.44%	0.92%	4.08%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

TABLE A.4. Misbelief and Economic Behaviors – Alternative Specification

 ΔC_t is the differences (\$ thousands) in the monthly average consumption between t and t-1. ΔB_t is the differences (\$ thousands) in the end-of-period interest-incurring debt between t and t-1. Default is an indicator for 90-day delinquency in t+1. $E[Y_t]$ is estimated based on (4). ΔY_t is the changes (\$ thousands) in income between period t-1 and period t. Columns (1), (3), and (5) focus on the same sample period as that in the main analysis. Columns (2), (4), and (6) use a longer sample that includes all the data available for the same survey participants. All variables are winsorized at 1% level by each wave.

	(1) ΔC_t	(2) ΔC_t	$\begin{array}{c} (3) \\ \Delta B_{t+1} \end{array}$	$\begin{array}{c} (4) \\ \Delta B_{t+1} \end{array}$	(5) Default	(6) Default
$Y_t - E_C[Y_t]$	0.245***	0.217***	0.112***	0.107***	0.559***	0.541***
	(0.034)	(0.039)	(0.022)	(0.025)	(0.112)	(0.127)
$E[\Delta Y_t]$	0.092***	0.112***	0.015	0.024	-0.134**	-0.297***
	(0.032)	(0.037)	(0.023)	(0.024)	(0.061)	(0.051)
Age	0.023***	0.020***	0.004	0.005	-0.775***	-0.826***
	(0.007)	(0.007)	(0.004)	(0.005)	(0.135)	(0.229)
Age^2	-0.000**	-0.000**	-0.000	-0.000*	0.003***	0.005***
	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	(0.001)
$\log Y_{t-1}$	0.011	0.019**	-0.017**	-0.025***	-0.217***	-0.262***
	(0.007)	(0.009)	(0.008)	(0.007)	(0.043)	(0.051)
$\log L_{t-1}$	-0.023**	-0.021**	0.023**	0.021***	-0.249***	-0.184***
	(0.009)	(0.009)	(0.010)	(0.008)	(0.073)	(0.044)
N	9,636	43,259	9,636	43,259	9,636	43,259
Industry FE	Yes	Yes	Yes	Yes	Yes	Yes
$City \times Round FE$	Yes	Yes	Yes	Yes	Yes	Yes
Individual FE	Yes	Yes	Yes	Yes	Yes	Yes
Longer Sample	No	Yes	No	Yes	No	Yes
R^2	27.89%	24.39%	32.35%	29.89%	5.23%	4.12%

Standard Errors Clustered at City×Year Level in Parentheses * p < 0.10 ** p < 0.05 *** p < 0.01

TABLE A.5. Misbeliefs, Cash Withdrawals and Cross-Bank Transfers

 $\Delta Withdraw_t$ is the changes in cash withdrawal between t and t-1, $\Delta Transfer_t$ is the changes in the net transfers from this bank to other bank accounts. $E[Y_{t+1}]$ is the expected level of income (\$ thousand) in period t+1 based on survey question 8 sent in period t. $E_C[\Delta Y_t]$ is the expected changes (\$ thousands) in income from period t-1 to period t. $SD(E_C[\Delta \log Y_{t+1}])$ is the log standard deviation of expected income growth in period 1 based on survey questions 6, 7, and 8 assuming income growth follows a Triangular distribution. Degree is the consumers' highest degree earned. Hours is the number of hours the customers usually work every week in period 0. $\log Y_t$ and $\log L_t$ are respectively log monthly income and \log credit card limit in period t. All variables are winsorized at 1% level by each wave.

	$\begin{array}{c} (1) \\ \Delta Withdraw_t \end{array}$	$(2) \Delta Withdraw_t$	$\begin{array}{c} (3) \\ \Delta Transfer_t \end{array}$	$\frac{(4)}{\Delta Transfer_t}$
$E_C[Y_{t+1}] - Y_{t+1}$	$\frac{277 \text{ total } \text{die}_t}{0.031}$	0.019	-0.020	-0.024
20[21+1] 21+1	(0.064)	(0.057)	(0.016)	(0.027)
$E[\Delta Y_t]$	(0.00-)	0.171**	(0.020)	-0.076**
[1]		(0.068)		(0.030)
Age		0.011*		0.003
<i>y</i> .		(0.006)		(0.006)
Age^2		-0.000*		-0.000
J.		(0.000)		(0.000)
Female		-0.014**		· /
		(0.007)		
College		0.019***		
, and the second		(0.005)		
$SD(E[\Delta \log Y_{t+1}])$		-0.024***		-0.031***
		(0.008)		(0.006)
$\log Hours$		0.000		-0.032***
		(0.001)		(0.008)
$\log Y_{t-1}$		0.024**		0.005
		(0.012)		(0.005)
$\log L_{t-1}$		-0.020*		-0.012**
		(0.012)		(0.006)
N	9,636	9,636	9,636	9,636
City $FE \times Round FE$		No	Yes	Yes
Individual FE	No	No	Yes	Yes
R^2	0.27%	17.32%	56.32%	59.99%

Standard Errors Clustered at City×Year Level in Parentheses

^{*} p < 0.10 ** p < 0.05 *** p < 0.01

I Household Consumption and Preferences Survey

Credit cards are an important method for daily consumption. To better understand the impact of credit cards on people's lives, we randomly selected a certain number of active credit card users from our bank to participate in a survey. We hope to use this survey to study the consumption behaviors and preferences of the residents generally. Therefore, we will focus only on highly summarized information for scientific research purposes, such as average values. We will not disclose the personal information of the participants in any respect. We will not, in any way, change the types of financial products we provide, including those regarding credit scores, credit limits, deposit rates, etc., based on the participants' personal answers.

1.	What was your average monthly income over the past year?
2.	How many of your credit cards do you usually use as a form of payments? (a) 0 (b) 1 (c) 2 (d) 3 or more
3.	What's the lowest possible credit card limit you believe you could have in 6 months?
4.	What's the highest possible credit card limit you believe you could have in 6 months?
5.	What would your total credit card limit most likely be in 6 months?
6.	What would be the lowest possible level of average monthly income you believe you would get over the next 6 months?
7.	What would be the highest possible level of average monthly income you believe you would get over the next 6 months?
8.	What would your average monthly income most likely be in the next 6 months?
9.	How many hours do you usually work per week?
10.	What's the total amount of credit limit you have?